Joint Mean-Variance Overall Survival Time fitted Models from Stage III Non-Small Cell Lung Cancer

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Abstract

Objectives: The current article aims to derive the joint mean-variance fitted models for the overall survival time from stage III non-small cell lung cancer patients. In addition, it aims to identify the determinants of the overall survival time, based on 239 subjects with 23 factors / variables.

Background: Overall survival time is positive, heterogenous, and non-normal which is generally modeled either by the Log-normal or the gamma models. Little is known about the joint mean-variance models for overall survival time from stage III non-small cell lung cancer patients.

Materials and Methods: The present article is based on the secondary data on 239 stage III non-small cell lung cancer patients along with 23 explanatory factors/variables. The overall survival time of 239 patients is heterogeneous, positive, and gamma distributed. Therefore, statistical joint generalized linear gamma or Log-normal models are considered to analyze the overall survival time.

Results: The overall survival time (OST) of stage III non-small cell lung cancer (NSCLC) patients is higher for the never/ex-smokers (P = 0.049) than for the current smokers. The OST is higher for the stage III NSCLC patients having large cell carcinoma or other (P = 0.110) than the patients having adenocarcinoma or squamous cell carcinoma. It decreases (P=0.026) as the number of positive lymph node stations increases. It is higher (P=0.072) for the lung cancer patients having N-stage at level N3 or Nx than the others. It is also higher of the lung cancer patients belonging into standard concomitant (P=0.050), or standard sequential (P=0.026), or sequential selected (P=0.003) group than the no chemo group. The OST is higher (P<0.01) of those lung cancer patients whose start of the study year are earlier. It increases (P = 0.001) as the equivalent dose increases. It decreases (P<0.01) as the overall treatment time increases. There are many more significant determinants of the variance of OST.

Conclusions: The overall survival time from stage III non-small cell lung cancer patients is identified as heterogeneous and gamma distributed. Most of the present findings, specially the variance determinants of overall survival time are completely new in the literature.

Keywords: Chemotherapy; Gamma model; Overall survival time; Stage III non-small cell lung cancer; Non-constant variance

Introduction

When the lung cells grow out of control, and become abnormal, lung cancer begins to start. Then more cancer cells grow, which form into a tumor, and they spread to the different parts of the body. Lung cancer is mainly two types. One is non-small cell lung cancer (NSCLC), and the other is small cell lung cancer (SCLC). There are many subtypes of NSCLC, which grow from different types of lung cells. These subtypes are grouped together as NSCLC, because their outlook and the treatment process are often similar. Approximately, 85% to 90% of lung cancers are NSCLC, and the remaining 10% to 15% are SCLC. The treatment processes of these two types of lung cancer are different. In 2016, the approximate incidences (new cases) of lung cancer in the United States are about 224,390 (117,920 in men and 106,470 in women), and the approximate number of deaths from lung cancer are 158,080 (85,920 in men and 72,160 in women) [1].

The lung cancer death is the first position of cancer death for both male and female [2] in the United States. In Europe also, the lung cancer death holds the first position of cancer death for male, and it is third for female [3]. In Europe, the number of new incidences of lung cancer is more than 400,000 in 2012. Out of these new lung cancer incidences, approximately 30% of patients are diagnosed with NSCLC of stage III disease. The leading cause of cancer death for both men and women (one out of four cancer deaths) is the lung cancer. Every year, more people die from lung cancer than from prostate, breast, and colon cancer combined. Note that, lung cancer occurs in older people around age 65 years [1-3].

The lung cancer patients are mostly heterogeneous. The patients heterogeneity makes the treatment difficulty to choose the better treatment for an individual patient [4]. Heterogeneity is more clear from the description of tumors, and patients based on genomics,
imaging modalities, and proteomics examinations. Consequently, the different treatment options such as individualized chemotherapy, new radiation therapy schemes and techniques, proton therapy, targeted agents, surgery, or a combination of these options are being used as the medical treatment process for lung cancer patients [5-6]. In practice, a decision support system (DSS) could offer assistance for making treatment decision which is currently lacking. The DSS includes different models to interpret many related outcomes for different approaches [7-8]. A building block for the DSS is a model containing the basic significant clinical variables that predicts the individual survival outcome. The model allows to identify the risk factors and dose levels for different treatments. The model gives sufficient information about the survival time to the doctors and the patients based on individual patient clinical information [9-12]. Last three decades, several studies have examined the prognostic risk or predictive factors for the lung cancer survival time [8,13-15].

Generally, the Kaplan-Meier method (a non-parametric approach) is used for analysis of univariate survival time. Cox regression is used for multivariate prediction model. Note that the Cox proportional hazard models are based on constant variance assumption. Some authors modeled continuous variables nonlinearly by using restricted cubic splines [11,12]. Some authors used simpler transformation instead of nonlinear terms. Factors are not properly modeled in any case of Cox regression or nonlinear models. It is noted that the overall survival times are heterogeneous, positive, and non-normally distributed. So, it is modeled either by the Log-normal or the gamma joint generalized model. To the best of our knowledge, any article has not considered the analysis of overall survival time [16] using the joint generalized model. The present study.

The present article aims to identify the determinants of the overall survival time of 239 lung cancer patients with 23 covariates (all are non-missing information). The current article has the following hypotheses or queries: What are the determinants of the overall survival time of the 239 lung cancer patients? What are the effects of the determinants on the overall survival time? These hypotheses are examined in the current report based on the data set of 239 lung cancer subjects along with 23 factors/variables [16].

Materials and statistical methodology

Materials

The present article has considered 239 lung cancer patients with 23 factors or variables. The current secondary data set has been taken from the report [16]. The data set can be downloaded at https://www.cancerdata.org/10.1016/j.ijrobp.2015.02.048 The description of the covariates, factors and their levels are described in Table 1. The summarized statistics such as the mean, standard deviation, and proportion of the levels are given in Table 1. A detailed discussion about the patients population and data collection methods are given in [16]. In the report [16], there are 548 patients with many missing information on the 23 factors /variable. We have considered only 239 patients (from 548 patients) with all non-missing information on the 23 factors/ variables. The description of the patient population and the data collection method is not reproduced herein as the length of the paper will be increased.

The current data contains 11 continuous variables and 12 attribute characters. The description of each variable or attribute character, attribute levels, and how they are operationalized in the present report is displayed in Table 1. Here we have considered the overall survival time as the dependent variable, and the remaining others are treated as the independent or explanatory variables. The overall survival times are determined as the duration between the start of radiation therapy and the date of death. The censored survival times are determined as the right-censored if the patients are alive at the end point of recorded time. The right-censored survival times are converted into estimated overall survival times based on model fitting.

<table>
<thead>
<tr>
<th>Variable name</th>
<th>Operationalization</th>
<th>Mean (standard deviation)/ Proportion</th>
</tr>
</thead>
<tbody>
<tr>
<td>Gender</td>
<td>Gender: (Male = 1 ; Female = 2)</td>
<td>1%=73.1; 2%=26.9</td>
</tr>
<tr>
<td>Age</td>
<td>Age at study</td>
<td>65.56 (9.40)</td>
</tr>
<tr>
<td>WHO-PS (who3g)</td>
<td>World health organization performance status or measure (WHO-PS) levels are 1,2,3.</td>
<td>1 %=42.43; 2 %=45.80; 3 %=11.77</td>
</tr>
<tr>
<td>Bmi</td>
<td>bmi patient pre RT: Body mass index of patient at pre radiation therapy</td>
<td>25.09 (4.14)</td>
</tr>
<tr>
<td>fev1pc</td>
<td>Forced expiratory volume in 1 second. percentage of predicted pre RT</td>
<td>77.20 (21.10)</td>
</tr>
<tr>
<td>Smok2</td>
<td>Never/ex smoker=1; Current smoker=2.</td>
<td>1 %=64.28; 2 %=35.72</td>
</tr>
<tr>
<td>T_ct_loc</td>
<td>CT-scan: Locations of tumor, 19 locations are: right lowerlobe (1); right middelobe (2); right hilus (3); right upperlobe (4); leftlowerlobe (5); leftrighterlobe (6); lefthilus (7); mediastinum (8); notapplicable (9); lingula (10); upperlobe, unspecified (11); lowerlobe, unspecified (12); lung, trachea (13); lung, trachea left (14); lung, trachea, right (15); LUU+LLL (16); right bronchus (17); left bronchus (18); multiple lobes (19)</td>
<td>4.22 (1.13) Attribut character, but treated as discrete variable</td>
</tr>
<tr>
<td>Histology (hist4g)</td>
<td>Histology: (Adenocarcinoma = 1 ; Squamous Cell Carcinoma = 2, Large cell carcinoma = 3, other = 4)</td>
<td>1 %=32.35; 2 %=15.96; 3 %=30.07; 4 %=12.62</td>
</tr>
<tr>
<td>PLNS (countpet_all6g)</td>
<td>Probably this is PLNS variable that means number of positive lymph node stations</td>
<td>3.13 (1.21)</td>
</tr>
<tr>
<td>countpet_medias18g</td>
<td>None</td>
<td>2.77 (1.03)</td>
</tr>
</tbody>
</table>
Table 1: Operationalization of variables in the analysis & summarized statistics.

### Statistical methods:
The classical linear regression models assume that the response (Y) variance is constant over the entire range of parameter values. However, it is not always true [17]. Generally, physiological data are heterogeneous. For example, the overall survival times for the lung cancer patients are heterogeneous [16]. To stabilize the heteroscedasticity of a data set, the log-transformation is often recommended, but in practice the variance may not always be stabilized [17] (Table 2).

For the analysis of positive observations with constant variance or constant coefficient of variation, the linear regression models with multiplicative error estimation is performed based on either the gamma or the Log-normal models [18]. However, for the physiological data analysis, neither the variance nor the coefficient of variation needs to be constant, so that these two models do not necessarily give identical results [19-21]. Note that the generalized linear models class includes the distributions which are used in modeling some continuous, non-normal, positive, and heteroscedastic data sets. In the generalized linear models class, the variance of the response may have the relationship with its mean. Then the response variance may be non-constant. In order to analyze the heteroscedastic positive data's, Nelder and Lee [22] have suggested to use the joint generalized linear models (JGLMs). A detailed discussion of JGLMs is given in [23-25]. For ready reference, a short description of the JGLMs is reproduced herein. For the positive data Yi's, when

\[
\text{and } \text{Var}(Y_i) = \mu_i^2
\]

the log transformation \(Z_i = \log(Y_i)\) gives stabilization of variance \(\text{Var}(Z_i)\). However, if a parsimonious model is essential, an improved transformation is required. In practice, a simple data transformation may not meet all the required model assumptions [17]. Under that situations, Nelder and Lee [22] have advocated to apply the JGLMs for the mean and variance as follows.

Generally, the log transformation \(Z_i = \log(Y_i)\) is used for the positive response \(Y_i\). For the log-normal distribution, a joint modeling of the mean and variance is such that

\[
E(Z_i) = \mu_zi \text{ and } \text{Var}(Z_i) = \sigma_zi^2,
\]

\[
\mu_zi = x_it \beta \text{ and } \log(\sigma_zi^2) = g_it \gamma,
\]

where: \(x_i\)t and \(g_i\)t are respectively, the row vectors related with the mean regression coefficients \(\beta\) and the variance regression coefficients \(\gamma\).

For the positive responses \(y_i\)'s, if

\[
\text{and }
\]

Where \(\gamma\)s are the dispersion parameters and \(V(\gamma)\) is the variance function. The variance consists of two components in GLMs. One part is which depends on the mean changes, and the other is which is the independent of mean adjustment. Note that, in GLMs, the variance function characterizes the family of distribution. For example, the distribution is Poisson if \(V() = \), gamma if \(V() = \), normal if \(V() = 1\), etc.

The JGLMs for the mean and the variance parameters are

\[
\text{and }
\]

where and are the GLM link functions for the mean and the variance, respectively; and are, respectively, the row vectors for the mean and dispersion regression models with known variables or factors. The mean model parameters are estimated by the maximum likelihood (ML) method, and the restricted ML (REML) method is used for estimating the variance model parameters [19,23].
The considered response overall survival time is positive, heteroscedastic and belong to exponential family distribution. So, it should be modeled either by the gamma or the Log-normal models [19,23-25]. What are the appropriate models of overall survival time of lung cancer patients? What are the determinants of overall survival time? What are effects of the determinants on the overall survival time? These issues are focused in the following sections.

Overall survival time analysis and interpretations

Analysis

The dependent variable in the present analysis is the survival time which is a continuous random variable. There are remaining 10 continuous, and 12 attribute explanatory variables. For attribute characters or factors, it is accepted the constraint that the effects of the first levels are zero. Therefore, we have taken the first level of each attribute character or factor as the reference level by estimating its as zero. Let \( a_i \) for \( i = 1,2,3 \) be the main effect of \( A \). We have taken \( a_1 = 0 \), so that \( a_2 = a_2 - a_1 \). For example, the first and the first levels in the main effect \( A \), (i.e., \( a_2 - a_1 \)) is the estimate for the effect \( A_2 \).

In the present section, we have considered the survival time as the response or dependent variable, and the remaining others as the independent (or explanatory) factors or variables. Note that most of the survival times are overall, and some are the right censored survival time. The response overall survival time (overall survival time and the estimated overall survival time of the right-censored survival time) has been modeled based on both the gamma and the Log-normal models [19,23]. Based on the smallest Akaike information criterion (AIC) value in each class, the final fitted models have been selected. Note that the AIC selects a model which minimizes the predicted additive errors and squared error loss [26, p. 203--204]. Both the fitted models results are displayed in Table 2. From Table 2, it is clear that the gamma fitted models (AIC= 1829.860) give better results than the Log-normal fitted models (AIC= 1835). Some statistical insignificant independent factors and variables are included in both the mean and variance fitted models (Table 2) for better fitting [26]. The included statistical insignificant factors or variables in the fitted models are known as confounder in epidemiology. In Figure 1, the JGLMs diagnostic plots have been examined for the gamma fitted models [Table 2].

<table>
<thead>
<tr>
<th>Model</th>
<th>Covariate</th>
<th>Gamma model fit</th>
<th>Log-normal model fit</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>Estimate</td>
<td>Standard error</td>
</tr>
<tr>
<td>Mean</td>
<td>Constant</td>
<td>285.91</td>
<td>54.851</td>
</tr>
<tr>
<td></td>
<td>Smok2</td>
<td>-0.1</td>
<td>0.053</td>
</tr>
<tr>
<td></td>
<td>Histology2</td>
<td>-0.01</td>
<td>0.084</td>
</tr>
<tr>
<td></td>
<td>Histology3</td>
<td>0.09</td>
<td>0.062</td>
</tr>
<tr>
<td></td>
<td>Histology4</td>
<td>0.12</td>
<td>0.075</td>
</tr>
<tr>
<td></td>
<td>PLNS</td>
<td>-0.06</td>
<td>0.026</td>
</tr>
<tr>
<td></td>
<td>N-stage2</td>
<td>-0.07</td>
<td>0.159</td>
</tr>
<tr>
<td></td>
<td>N-stage3</td>
<td>0.02</td>
<td>0.072</td>
</tr>
<tr>
<td></td>
<td>N-stage4</td>
<td>0.21</td>
<td>0.116</td>
</tr>
<tr>
<td></td>
<td>Group2</td>
<td>0.43</td>
<td>0.218</td>
</tr>
<tr>
<td></td>
<td>Group3</td>
<td>0.4</td>
<td>0.178</td>
</tr>
<tr>
<td></td>
<td>Group4</td>
<td>0.6</td>
<td>0.2</td>
</tr>
<tr>
<td></td>
<td>Yearrt</td>
<td>-0.14</td>
<td>0.027</td>
</tr>
<tr>
<td></td>
<td>Equivalent dose (Eqd)</td>
<td>0.02</td>
<td>0.005</td>
</tr>
<tr>
<td></td>
<td>treatment time</td>
<td>-0.02</td>
<td>0.006</td>
</tr>
<tr>
<td></td>
<td>Deadstat</td>
<td>-1.19</td>
<td>0.069</td>
</tr>
<tr>
<td>Variance</td>
<td>Constant</td>
<td>-4.92</td>
<td>1.308</td>
</tr>
<tr>
<td></td>
<td>Age</td>
<td>0.011</td>
<td>0.012</td>
</tr>
<tr>
<td></td>
<td>WHO-PS2</td>
<td>0.384</td>
<td>0.233</td>
</tr>
<tr>
<td></td>
<td>WHO-PS3</td>
<td>0.103</td>
<td>0.332</td>
</tr>
<tr>
<td></td>
<td>BMI</td>
<td>0.032</td>
<td>0.025</td>
</tr>
</tbody>
</table>
and more than 10% to approximately 20% as partially response distribution, or variables, or outliers.

Results and interpretations of overall survival time analysis

Table 2 presents the summarized results of the overall survival time analysis. The detailed results and interpretations of Table 2 (gamma or Log-normal fitted models) are described as follows. Here we have considered the P-values up to approximately 10% level as significant, and more than 10% to approximately 20% as partially significant.

*The mean overall survival time (OST) is negatively significantly associated with the smoking status (never/ex smoker=1, current smoker=2) (P=0.049). This implies that the mean OST increases as the smoking status decreases. Therefore, the mean OST is higher for the never/ex-smoker lung cancer patients than the current smokers.

*In the gamma fitted model, the mean OST is positively partially associated with the histology [adenocarcinoma =1, squamous cell carcinoma=2, large cell carcinoma=3, other=4] at level 3 (i.e., large cell carcinoma=3) (P=0.134), and at level 4 (other=4) (P=0.110). But in the Log-normal fitted model, the mean OST is positively significantly associated with the histology at level 3 (i.e., large cell carcinoma=3) (P=0.091), and at level 4 (other=4) (P=0.052). This indicates that the mean OST is higher of the lung cancer patients having large cell carcinoma or other than the patients having adenocarcinoma or squamous cell carcinoma.

*The mean OST is negatively significantly associated with the PLNS (countpet_allg) (i.e., PLNS variable that means the number of positive lymph node stations) (P=0.026), indicating that as the number of positive lymph node stations increases, the OST decreases. It is observed in practice.

*The mean OST is positively significantly associated with the N-stage (N0=1; N1=2; N2=3; N3 or Nx=4) at level 4 (i.e., at N3 or Nx) (P=0.072), indicating that the OST is higher of the lung cancer patients having N-stage at level N3 or Nx than the others.

*The mean OST is positively significantly associated with the group (no chemo=1, sequentialselected=2, standard sequential=3, standard concomitant=4) at level 2 (i.e., sequentialselected=2) (P=0.050), at level 3 (i.e., standard sequential=3) (P=0.026), and at level 4 (standard concomitant=4) (P=0.003). This indicates that the OST increases as the group level increases. Therefore, the mean OST is higher of the lung cancer patients belonging into standard concomitant, or standard sequential, or sequentialselected group than the no chemo group.

*The mean OST is negatively significantly associated with the start of the study year (P<0.01). It implies that the OST is higher of those lung cancer patients whose start of the study year are earlier.
The mean OST is positively significantly associated with the equivalent dose (P=0.001), indicating that the OST increases as the equivalent dose increases.

The mean OST is negatively significantly associated with the overall treatment time (P<0.01), indicating that the OST increases as the overall treatment time decreases.

The mean OST is negatively significantly associated with the deadstat (alive=1, dead=2) (P<0.01), indicating that the OST is higher of the living lung cancer patients than the dead patients.

The variance of OST is positively significantly associated with the age (P=0.086) (in the Log-normal fitted model), indicating that the OST variance of the lung cancer patients increases as the age increases. That is the OST variance of the lung cancer patients is highly scattered at the older ages than the younger ages. Note that it is insignificant in the gamma fitted model.

The OST variance is positively significantly associated with the who3 (World helth organization performance measure levels are 1,2,3) at level 2 (P=0.047) (in the Log-normal fitted model), indicating that the OST variance of the lung cancer patients is higher who are at level 2, than the other levels. Note that it is insignificant in the gamma fitted model.

The OST variance is positively partially associated with the body mass index (P=0.106) (in the Log-normal fitted model), indicating that the OST variance of the lung cancer patients increases as the body mass index increases. It is partially significant in the gamma fitted model.

The OST variance is negatively partially associated with the T-stage (T0=1; T2=2; T3=3; T4 or Tx=4) at level 4 (i.e., at T4 or Tx) (P=0.121) (in the Log-normal fitted model), indicating that the OST variance of the lung cancer patients is higher who are at level T4 or Tx, than the others.

The OST variance is positively significantly associated with the N-stage (N0=1; N1=2; N2=3; N3 or Nx=4) at level 3 (i.e., N2) (P=0.077) (in the Log-normal fitted model), indicating that the OST variance of the lung cancer patients is higher who are at level N2, than the others. It is positively partially significant in the gamma fitted model.

The OST variance is positively significantly associated with the deadstat (alive=1, dead=2) (P<0.01), indicating that the OST variance of the lung cancer patients is higher who died than the living patients.

From Table 2, the final selected gamma fitted mean and variance models of the overall survival time of stage III non-small cell lung cancer patients (x21), respectively, are

\[ \hat{x}_{1} = \exp(285.91-0.10 \text{ Smok2 } - 0.01 \text{ Histology2+0.09 Histology3+0.12 Histology4-0.06 PLNS-0.07 N-stage2+0.02 N-stage3+0.21 N-stage4+0.43 Group2+0.40 Group3+0.60 Group4-0.14)
\]

Yerrt+0.02 Eqd–0.02 Ott–1.19 Deadstat), and

\[ \hat{\sigma}^{2} = \exp(-4.920+0.011 \text{ age+0.384 WHO-PS2 } + 0.103 \text{ WHO-PS3+0.032 Bmi–0.002 fev1+0.054 Histology2–0.109 Histology3–0.411 Histology4–0.377 T-stage2–0.293 T-stage3–0.533 T-stage4+0.029 N-stage2+0.511 N-stage3+0.266 N-stage4+3.001 Deadstat).\]

In Table 2, the fitted two models (gamma and Log-normal) approximately reveal the identical results. We have considered the significant determinants from both the fitted models. These two fitted models confirm the current findings.

Conclusions and discussions

The current article has considered the overall survival time (OST) as the response variable. The estimated overall survival times are obtained from the right-censored survival time, using the fitted model of only the overall survival times. Finally, both the overall survival time and the estimated overall survival time are considered together as the overall survival time, which has been modeled based on both the Log-normal and the gamma models. Both the fitted model results are displayed in Table 2. Note that, both the fitted models reveal exactly or approximately the same interpretations. The determinants of the overall survival time have been considered in the present report based on both the fitted models.

The analysis of the whole part of the present data (548 subjects, with some missing information) is given in [16]. The present report has considered 239 subjects (from [16]) with all non-missing information. The results of the present report are not identical with the earlier results [16]. For example, the present report has not identified that the sex is a significant determinant of the OST (Table 2), but it is significant in [16]. Regarding sex, the present report supports the results in [27], but it disagrees the results in [16,28,29]. The World health organization performance status (WHO-PS or WHO3g) (at level 2) is identified here (Table 2) only as a significant determinant of the variance of OST, but it is identified as the significant determinant of the mean of OST [16,30,31]. Note that these articles [16,30,31] do not consider the variance modeling. Smoking status, histology, N-stage are significant determinants of the mean of OST in the present report (Table 2), but they are not identified in [16]. It is identified herein that the current smoking status decreases the overall survival time which supports some earlier findings [32,33].

The number of positive lymph node stations (PLNS) is negatively significantly associated with the mean of OST, in the present report (Table 2), but it is positively significantly associated in [16]. Therefore, the interpretation of PLNS in [16] indicates that the OST increases as the number of positive lymph node stations increases, which contradicts the clinician views. But the present report supports the clinician views. In the earlier articles [34,35], it has been pointed that PLANS on F-fluorodeoxyglucose positron emission tomography (FDG-PET) scan is an important risk factor for non-surgically treated patients.

The present report has identified that the group, start of study, and dead status as the significant determinants of the mean OST (Table 2), but these are not reported in [16]. Here the overall treatment time is negatively significantly associated with the mean OST (Table 2), but it is positively associated in [16]. The present result disagrees with the result in [16], but it agrees with the results, which have pointed that from a radiological point of views, shorter treatment (less than 28 days) can improve the mean OST of NSCLC patients [36,37]. It is also pointed in the earlier studies that a decrease in tumor control approximately 1.6% per day after a 6-week duration of radiation therapy, and approximately 2.0% increase in the risk of death for each day of prolongation in therapy [38]. Therefore, the present study supports most of the earlier results regarding the overall treatment time.

Equivalent dose is negatively associated with the OST in [16], indicating that the OST increases as the equivalent dose decreases, which also contradicts the clinician views [5,6]. But in the present report, equivalent dose is positively associated with the mean OST, which supports the clinician views [5,6]. It is reported in the earlier
studies that the higher radiation doses lead to improved local control and higher survival rates [5,6].

It is well-known that the smoking is one of the principal risk factor of the lung cancer, which is not identified in [16]. The OST variance determinants such as age, WHO-PS, body mass index, forced expiratory volume, histology, T-stage, N-stage, dead status (Table 2) are reported in the present report, but these not reported in any earlier lung cancer article. To the best of our knowledge, most of the present findings, specially variance of OST determinants (Table 2) are completely new in the lung cancer literature.

The current reported results (Table 2), though not completely conclusive, are revealing. The determinants of the overall survival time are derived satisfying the following regression analysis criteria. First, the determinants are selected based on comparison of both the gamma and the Log-normal fitted model analyses. Second, the final model is selected based on AIC. Third, final model is justified based on JGLMs diagnostic plots. Fourth, the standard error of the estimates are very small, indicating that the estimates are stable [23]. Fifth, the final model of the OST is selected based on locating the appropriate statistical distribution. The OST distribution is identified herein as the gamma distribution. The present results (Table 2) attempt to remove some conflicts of earlier research findings, and they also confirm some earlier reported results [16, 27-38]. These have been shortly described above. It can be observed on comparison of the present results (Table 2) with the earlier results [16, 27-38]. An important conclusion has to do with the use of earlier used statistical models. While further research is called for, we find that the JGLMs are much more effective than the Cox proportional regression analysis, because they better fit the data. In short, research should have greater faith in these results than those emanating from the earlier models.

To the best of our knowledge, the present models (Results & interpretation section) can be considered as one of the best first building block of a DSS. The current models may provide better assistance for treatment decision making using the individual patient risk factors and the benefits of a specific treatment. The current results have focused many interesting conclusions. These findings may help the medical practitioners for better medical treatment. Equivalent dose and chemotherapy are highly important for medical treatment of the lung cancer patients. Smoking should be stopped. Everyone should care on his/her obesity. For both male and female individual, care should be taken on lung cancer disease at older ages.

References


