

More Comprehensive Computational Number Theory

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Computational number theory, also known as algorithmic number theory, is the study of algorithms for performing number theoretic computations. The best known problem in the field is the integer factorization, the great common divisor or the least common multiple. The largest known primes, which are usually Mersenne primes, and they were usually found by GIMPS, the Great Internet Mersenne Prime Search.

But in my opinion, the concepts of computational number theory could be more comprehensive, covering a wide range, including all the study of number theory by computers. For me, computers are so important for number theorists, just like telescopes for astronomers.

For example, recently, I found that except 2, 5 and 11, every positive prime can be expressed as a sum of three positive integers a, b, c , the product abc is a cube [1]. For instance, $3 = 1+1+1$, $7 = 1+2+4$, $13 = 1+3+9$, $17 = 1+8+8$, $19 = 4+6+9$ and $1 \times 1 \times 1 = 1^3$, $1 \times 2 \times 4 = 2^3$, $1 \times 3 \times 9 = 3^3$, $1 \times 8 \times 8 = 4^3$, $4 \times 6 \times 9 = 6^3$.

By using a computer, we have tested that it is true for primes less than 10000. So we make the above conjecture that Except for 1; 2; 4; 5;

8; 11; 16; 22; 32; 44; 88; 176, every positive integer can be expressed as a sum of three positive integers where the product of those integers is a cube.

Similarly, we conjecture that Except for 1; 2; 3; 5; 6; 7; 11; 13; 14; 15; 17; 22; 23, every positive integer can be expressed as a sum of four positive integers where the product of those integers is a 4th power.

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Received March 11, 2012; Accepted March 14, 2012; Published March 18, 2012

Citation: Cai T (2012) More Comprehensive Computational Number Theory. J Applied Computat Mathemat 1:e102. doi:10.4172/jacm.1000e102

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