

## More on the Robust Solution for Epidemiology: Nineteenth-Century Quebec

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### Abstract

Here we consider the Robust Solution as applied to the cholera epidemic in Lower Canada (Quebec) in 1832. We find that the mathematics from that procedure provides the mathematical foundation of the study. The rate of growth of the virus must be kept below 14% to terminate the spread of the disease.

**Keywords:** Energy; Time; Density; The bell normal; The golden mean parabola

### Introduction

This paper is an examination of the mathematics already well-established as the Robust solution. We use this solution applied to the cholera epidemic, particularly in what is today, Quebec-Montreal and Quebec City. The data was found in Bilson's book, A Darkened house, Cholera in nineteenth Century Canada. Some figures come from the Saint John Cholera epidemic 1854 [1-3]. We begin there.

In Saint John, 1854,

1103 deaths from Cholera/pop. 30,000= $1/e=e^{-t}=E$

In Quebec 1832-33:

$3451/X=1/e$

$X=1269=\rho=\text{density} \sim 4/\pi$

$1269=78.8 \text{ deaths}/1000$ .

In Montreal, there was a cholera death rate of 74/1000. In Quebec City, Twas a cholera death rate of 82/1000. Average  $(74+82)/1000=41/1000$  [4,5].

Now  $\rho/c=126.9/2.9979=0.4235 \sim \pi-e=0.4233$ ,=Resistance to Disease=Rd

$[\text{Deaths}/1000]=\rho$

$\rho/c=cuz$

$\rho/c \cdot \pi = \text{Space } s$

And, from Astro-theology mathematics:

The cross-product vector is:

$S=|E||t|\cos \theta$

Resistance to death=(Vd) (Cycle)cos (Cycle)

$=e^{*(40\% \text{ of a cycle}) \cos (1 \text{ rad})}$

$=58.75\%$

$58.75\%=\pi=54.18\%$

$1-54.18\%=45.82\% \sim 45.7\%=\text{death rate in the entire province of Quebec}$

$1-58.75\%=41.25\%$

Cf Average Death rate above=41/1000.

$Re=\rho v/\nu$

$(127(0.8415))/0.27=395$

$395=S.D.=\sqrt{[(1/N) \sum (X-\bar{X})^2/S.D.]}$  Let  $S.D.=Re=395$ , and solving:

$1560 N=G X^3-X^2-X$

$2/3((0.4)^3-(0.4^2)-0.4-1560 N=0$

$N=1$

$S.D.=\sqrt{1/1*(X-\bar{X})^2}$

$S=0.6$

$\sigma=0.3$

$1-0.3 \leq \text{Mew} \leq 1+0.3$

Standard Normal:

$\Phi=1/\sqrt{(s^2\pi)} e^{-1/2 (X-0.7)/(0.3)^2}$

$X=0, 1.4 \text{ for } \text{mew}=0.7$

$X=t=1+t$

$1.4=1+t$

$T=0.4=1 \text{ rad}=1/2\pi$

$\text{Mew}=1.4+/-1/2$

$\text{Mew bar}=1.2$

$1.2 * c^2=1.08=Z \text{ score for } 85.99\% 1/85.99=116.29=\text{Mass no of elements in the periodic table.}$

$1-0.8599=0.14=14\% \text{ minimum profit to sustain growth.}$

Finally,

$E=Mc^2$

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$= (1/e)((2.997929)^2$   
 $= 3.3063$   
 $E = 1/t$   
 $t = 1/E = 1/3.3 = 0.302$   
 Root for the Bell Normal.  
 $\Phi = 1/\sqrt{(2\pi)} e^{-1/2 [(X-1.30/1.30)]^2}$   
 Root  $X = t = 3.02$   
 $1/c = Mc^2$   
 $1 = Mc^3$   
 $= 99.125 = 1/1.009 \sim 1.01 = E$   
 $E = \Phi$   
 Roots  $X = 0, 1.4$   
 $0 \leq X \leq 1.4$   
 $1 - 0.8599 = 0.1401$   
 $Z = 1.08$   
 $1/81.99 = 116.29 = \text{Mass of final element in periodic table.}$   
 $Y = e^{-t} \cos t$   
 $116.29 = e^{-t} \cos t$   
 $Y = 1/e = E$   
 Refer to Figure 1.  
 $t^2 = 2 - 1 = 0$   
 $dE/dt = 2t - 1 = 1$   
 $2 = 1$

$E = 1/e^t$   
 $E = 1/e^1 = 2.718 = Y$   
 At  $t = 0$ ,  $\ln t = 0$   
 $t = 1$   
 At  $t = \pi$   
 $\ln \pi + \csc = 2.568 \sim \pi/2 = t/2$   
 $t/2 = 1/2 = E_{\min} = -1.25$   
 And  
 $\ln \pi + 0.4233 = 1/e^t$   
 $G \sim 6.54 = 1/e^t$   
 $e^t = 0.1529 = 1 - \sin 1 = \text{Moment}$   
 $1 - 0.1529 = 0.8471$   
 $\sin^{-1}(0.8471) = 57.89^\circ = 1.01 \text{ rads} = E.$

## Conclusion

Like every other two pole problem (infected or not infected) the two-pole solution works to solve problems in epidemiology. Keeping the growth rate below 14% will terminate a pandemic.

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