

# Nonequilibrium Dissolution-diffusion Model for PDMS Membrane Pervaporation of ABE Water Binary System

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## Abstract

Previous models of equilibrium dissolution-diffusion, pore flow and virtual phase change cannot describe the mass transfer process of pervaporation precisely. The fact that dissolution process on the surface of the membrane does not reach equilibrium is seldom emphasized in the literature. The aim of the present work is to develop the nonequilibrium dissolution-diffusion model (nonequilibrium model) for membrane pervaporation process. In this research, the steps of dissolution and desorption were treated as the pseudo surface reaction processes on the surface based on the hypothesis of nonequilibrium dissolution at the interface of the feed liquid and membrane. The semi-experimental model was set based on steady state mass transfer, ignoring the concentration polarization and adsorption at the permeation side. Through linear fitting of the flux with different thickness of the membrane, the diffusion coefficients and adsorption kinetic rate constants of the model were achieved with equilibrium partition coefficient estimated by UNIFAC-ZM model. The calculated values of the model were well in consistent with experimental flux in the vacuum pervaporation of acetone, butanol and ethanol with polydimethylsiloxane membrane. The nonequilibrium model and its parameters will be further applied for prediction of separation performance and selection of operation conditions.

**Keywords:** Pervaporation; Nonequilibrium; Dissolution; Diffusion; Polydimethylsiloxane

## Introduction

Rapid growths in population and economy have resulted in energy and water shortage on a global scale [1]. Among separation techniques for organics recovery from aqueous solutions, membrane based processes are very promising ones [2]. Membrane technology is witnessing an era of rapid growth due to the great demand of renewable energy production and water purification. Membrane pervaporation is first and mainly applied for continuous production of renewable biofuel from bio-fermentation of acetone, butanol and ethanol (ABE) aqueous solution. As an efficient technique to separate oil/water mixture, pervaporation is a permeation process through the membrane with the thermodynamic phase change. Feed liquid is passing over on one side of the membrane while the permeable component is changed to gas on the other side. Selective separation is realized via chemical potential difference between the solvents with the membrane [3]. Compared with traditional methods like distillation, adsorption, freeze crystallization, gas stripping and liquid-liquid extraction for ABE fermentation products recovery, pervaporation has the advantages of high selectivity, low energy consumption, moderate cost to performance ratio and compact and modular design [4]. There are several pervaporation modes, such as sweeping gas pervaporation, thermos-pervaporation and vacuum pervaporation. Vacuum pervaporation is the most commonly used and investigated pervaporation configuration [5].

Many researches on polymer membrane pervaporation for ABE solution have been reported [6,7]. Polydimethylsilicone (PDMS) of moderate selectivity and high permeability to many organics [8,9], is one of the most widely used polymer material in ABE fermentation pervaporation [10-12]. However, the separation performance of pervaporation is not high enough especially for organic permselective removal for industrial application [7]. Moreover, in spite of fact that very thin polymeric membranes are employed in several miniaturized devices, the dependence of permeability from membrane thickness

is not known enough. So it is extremely important to study the mechanism of mass transfer for pervaporation, which involves various interactions between membrane and components. It is difficult to describe very precisely via present theoretical models for dense homogeneous membrane [13], including models of equilibrium dissolution diffusion [14-16], pore flow [17], virtual phase change [18-20], evaporation-permeation [21] and irreversible thermodynamics [22]. Dissolution-diffusion model, the most widely accepted model, was first found by Lonsdale et al. [15], who divided pervaporation into dissolution (adsorption), diffusion and desorption three steps. From the mathematical model based on the hypothesis of equilibrium dissolution, the flux was in inverse proportion to membrane thickness and separation factor was independent of membrane thickness [23]. The conclusion was not in consistent with recent experiment results [24-27]. Pore flow model defined the dense layer as "pore" like nanofiltration which was not very reasonable, since the "pore" free volume formed by random movement of polymer chain was not fixed. Virtual phase change model was the combination of dissolution-diffusion model and pore flow model which was of some self-contradiction. Evaporation-permeation model treated the pervaporation as two separate processes, liquid evaporation and vapor permeation. The total separation factor was not equaled to the product of that two separation factors in the real operation. Irreversible thermodynamics model was set up on the chemical potential considering the coupling interaction of the

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Received January 27, 2016; Accepted February 18, 2016; Published February 26, 2016

**Citation:** Yang X, Wu Z, Manquan F, Jiding L (2016) Nonequilibrium Dissolution-diffusion Model for PDMS Membrane Pervaporation of ABE Water Binary System. J Membra Sci Technol 6: 143. doi:10.4172/2155-9589.1000143

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components, but the phenomenological parameters needed to be determined by experiments which could not be deduced from the present theoretical models.

Pervaporation process, additional new chemical engineering operation, has many similarities to other equilibrium unit operations. However, it is not an equilibrium process in fact. Different from the main trend of equilibrium dissolution, there were few reports based on the non-equilibrium dissolution [28]. Yu et al. [29] presented non-equilibrium dissolution-diffusion model from dynamic analysis of mass transfer. The semi-experimental model, ignoring the desorption resistance, defined “apparent” mass transfer coefficient  $K_s$ .  $K_s$  was an experimental parameter related with follow-up diffusion. Non-equilibrium model proposed by Islam [30] optimized the analysis of mass transfer in dissolution and desorption process, in which a dimensionless parameter (similar to second Damköler number) was proposed to measure for the deviation of the nonequilibrium surface reaction from equilibrium. Islam’s model was further applied in recent studies of gas separation [26,31].

Above nonequilibrium hypothesis agreed with our opinion. It was considered that the dissolution equilibrium of the feed in the membrane could not be really reached in this research. Dissolution and desorption step was treated as pseudo surface reaction with the consideration of desorption resistance. The adsorption at the permeation side could be ignored with the high vacuum pervaporation method. Adsorption and desorption rate constant was applied to help for the kinetic analysis of surface reaction. The effect of thermodynamic partition and diffusion kinetic on permeation flux of acetone-water, butanol-water and ethanol-water binary system in PDMS membrane was analyzed, which could help the optimization of operation conditions, chosen of membrane material and development of theoretical model for pervaporation.

## Experiments

### Materials

PDMS with viscosity of  $20 \text{ kg}\cdot\text{m}^{-1}\cdot\text{s}^{-1}$  and average molecular weight of 80,000 was achieved by Beijing Second Chemistry Company of China. Acetone, butanol, ethanol, hexane and triethyl phosphate (TEP) of analytical grade were purchased from China Medicine Group (Shanghai Chemical Reagent Corporation). Crosslinking agent tetraethylorthosilicate (TEOS) of analytical grade was obtained from Beijing Beihua Fine Chemicals Company of China. Catalyst di-n-butyltin dilaurate (DBTL) was achieved from Beijing Jingyi Chemical Reagents Corporation. All the reagents were used without further purification.

### Preparation and characterization of PDMS membrane

Polyvinylidene fluoride (PVDF) support layer was prepared by the dissolution of PVDF in TEP solvent to form 10 wt % solution, which was then casted on the non-woven fiber by spin coating method and immersed into water to induce polymer precipitation. The effect of support layer [32,33] on pervaporation flux was eliminated by reduction of the thickness of the support layer. The residual solvent was exchanged with alcohol for 5 minutes and dried at room temperature.

PDMS membrane was prepared as the way proposed by Zhan et al. [34]. Different mass of PDMS was dissolved in n-hexane and TEOS and DBTL was subsequently added. Homogeneous PDMS solution after stirring was coated on the PVDF. The thickness of PDMS layer  $\delta_m$  was controlled by the mass ratio of PDMS-solvent and characterized by SEM monitor.

## Evaluation of membrane pervaporation performance

Pervaporation experiments were performed by pervaporation laboratory rig the same as reported by Han et al. [35] in our laboratory. The pressure on the back of the membrane was controlled at 100-200pa, which was low enough to remove the effect of vacuum degree and adsorption at the permeation side. The experiments were carried out with different membrane thickness, feed concentration of acetone-water (A-W), butanol-water (B-W), ethanol-water (E-W) and feed temperature. The composition of permeate liquid was analyzed by the gas chromatography GC-14C (Shimadzu Co. Ltd, Japan) equipped with a thermal conductivity detector.

Membrane performance of pervaporation was evaluated via permeate flux  $J$  and separation factor  $\alpha$ .  $J$  was defined by equation (1)

$$J = \frac{N_{mol}}{At} \quad (1)$$

where  $N_{mol}$  was permeate mole amount,  $A$  membrane area and  $t$  time over which the permeate sample was collected.  $\alpha$  was calculated by equation (2)

$$\alpha = \frac{c_{p,1} / c_{f,1}}{c_{p,2} / c_{f,2}} = \frac{J_1 / c_{f,1}}{J_2 / c_{f,2}} \quad (2)$$

where  $c_p$  and  $c_f$  were concentrations in the permeate stream and in the bulk feed stream respectively, and subscript 1, 2 permselective component and the other component.

## Nonequilibrium dissolution-diffusion model for vacuum pervaporation

### Model hypothesis, proposition and discussion

Nonequilibrium model for pervaporation was proposed first. Concentration polarization was neglected in high flow rate of feed. So the concentration near the surface of membrane was identified the same as the main body of the liquid. Coupling effect of the components was also neglected for convenient analysis [36].

Through previous hypothesis of equilibrium dissolution [15], the mathematical model was got as equation (3),

$$J = \frac{D_m}{\delta_m} (c_f - c_p) \quad (3)$$

where  $D_m$  was diffusion coefficient in the membrane. However, for steady pervaporation process, the dissolution of liquid in membrane could not be a thermodynamic equilibrium process, or the mass transfer would not be carried on with equal chemical potential on both side of the membrane. In this research, mass transfer of dissolution and desorption was treated as pseudo surface reaction on the surface of the membrane based on the nonequilibrium hypothesis. The flux was the net amount of the reaction per time and surface of unit. Non-equilibrium model was as equation (4),

$$J = k_s c_f - k_d c_m^f = \frac{D_m}{\delta_m} (c_m^f - c_m^p) = k_d c_m^p - k_s c_p \quad (4)$$

where  $c_m^f$  and  $c_m^p$  were mole volume concentration contacted with feed and production in the membrane, and  $k_s$ ,  $k_d$  adsorption and desorption rate constants ( $\text{m}\cdot\text{s}^{-1}$ ). Rate of capture and departure from the surface depended non-linearly on the solution composition, geometrical dimension of the membrane surface and interaction between the components and membrane [37]. Partition coefficient of the components parted between the membrane and liquid,  $K$ , could be defined as equation (5),

$$K = \frac{c_m^{f,e}}{c_f} = \frac{c_m^{p,e}}{c_p} = \frac{k_s}{k_d} \quad (5)$$

where  $c_m^{f,e}$  and  $c_m^{p,e}$  were the equilibrium dissolution and desorption concentration of component for feed solution and production respectively. For high vacuum pervaporation, the adsorption at the permeation side with high vacuum and high flux could be ignored. The modified nonequilibrium model was as equation (6).

$$J = k_s c_f - k_d c_m^f = \frac{D_m}{\delta_m} (c_m^f - c_m^p) = k_d c_m^p \quad (6)$$

$J$  and  $\alpha$  could be calculated by equation (7) and equation (8) according to the definition of equation (3) and equation (4).

$$J = \frac{c_f}{\frac{\delta_m}{KD_m} + \frac{2}{k_s}} \quad (7)$$

$$\alpha = \frac{\frac{\delta_m}{K_2 D_{m,2}} + \frac{2}{k_{s,2}} c_{f,2}}{\frac{\delta_m}{K_1 D_{m,1}} + \frac{2}{k_{s,1}} c_{f,1}} \quad (8)$$

Then  $J$  and  $\alpha$  of the different systems and operation conditions could be predicted with known  $\delta_m$ ,  $K$ ,  $D$  and  $k_s$  of both components. It could be deduced that  $J$  was not in verse ratio to  $\delta_m$  and  $\alpha$  was related with  $\delta_m$ . The relative size of  $\frac{\delta_m}{KD_m}$  to  $\frac{2}{k_s}$  characterized the nonequilibrium degree of dissolution, which was caused by the kinetic adsorption and desorption at the membrane interface. When  $\frac{\delta_m}{KD_m} \gg \frac{2}{k_s}$ ,  $J = \frac{KD_m}{\delta_m} c_f$ ,  $\alpha = \frac{K_1 D_{m,1} c_{f,2}}{K_2 D_{m,2} c_{f,1}}$ , in which the equilibrium solubility selectivity and diffusion selectivity could be characterized by  $\beta = \frac{K_1}{K_2}$  and  $\gamma = \frac{D_{m,1}}{D_{m,2}}$ , respectively. The conclusion was in accordance with equilibrium dissolution-diffusion model. When  $\frac{\delta_m}{KD_m} \ll \frac{2}{k_s}$ , or the membrane was very thin,  $J = \frac{k_s}{2} c_f$ ,  $\alpha = \frac{k_{s,1} c_{f,2}}{k_{s,2} c_{f,1}}$ , which meant that flux was independent of membrane thickness and separation factor was only determined by the kinetic adsorption and desorption. The kinetic adsorption rate selectivity could also be defined as  $\varepsilon = \frac{k_{s,1}}{k_{s,2}}$ .

### Model parameter deduction

The model parameter  $K$  was calculated by group contribution method of UNIFAC-ZM model, while  $D$  and  $k_s$  were achieved by regression analysis of pervaporation experiments data.

**Partition coefficient:** It was not precise enough to calculate the partition coefficient as the function of solubility parameters independent of solution concentration [38]. Swelling experiment was very complicated and of high requirement of accuracy. Partition equilibrium of ABE-water binary system with PDMS was calculated via the method proposed by Huang et al. [13] in this research. UNIFAC model [39] based on the conception of group contribution was introduced to calculate the activity of penetrants in the polymer. UNIFAC model consisted of a combinatorial and a residual part. Zhong et al. [40] added a universal constant in the volume fraction expression for correction of the combinatorial part with polymer solution. Through equal of the activity in the solution and membrane, equilibrium concentration in the membrane ( $c_m^{f,e}$ ) was calculated by UNIFAC-ZM model and partition coefficients under different concentration and

temperature could be deduced by Matlab program of our group. Then  $K$  was calculated by equation (5).  $K$  and defined solubility selectivity  $\beta$  under different feed concentration and temperature was showed in Figures 1 and 2. Boiling point of acetone was near 329.4K at standard atmospheric pressure, so the pervaporation experiment of acetone-water was not carried on at higher temperature than 323.2K.

Figures 1 and 2 showed first that butanol had the largest partition coefficient  $K$  and solubility selectivity  $\beta$ , while the water had the smallest at the same condition. Figure 1a, 1b and Figure 1c also revealed that all the partition coefficients of ABE and water decreased with increasing of ABE concentration at 313.2K. At the same time,  $\beta$  of acetone and ethanol decreased while butanol was on the contrary. Augment of butanol content promoted much better compatibility butanol with PDMS, along with larger increment of butanol activity in water solution than acetone and ethanol. Figure 2 illustrated that the partition coefficients of ABE decreased with enlargement of temperature while water was on the contrary at 5 wt% of feed solution. All the solubility selectivity decreased with temperature increasing. The reason might be that the increasing temperature diminished the solubility difference of ABE and water with PDMS besides expanding the polymer chain distance of PDMS. Separation performance at different membrane thickness, feed concentration and temperature was then analyzed according the nonequilibrium model in the following.

**Diffusion coefficient and adsorption rate constant:** In order to apply the nonequilibrium model for mass transfer analysis of pervaporation and diffusion coefficient and adsorption rate constant

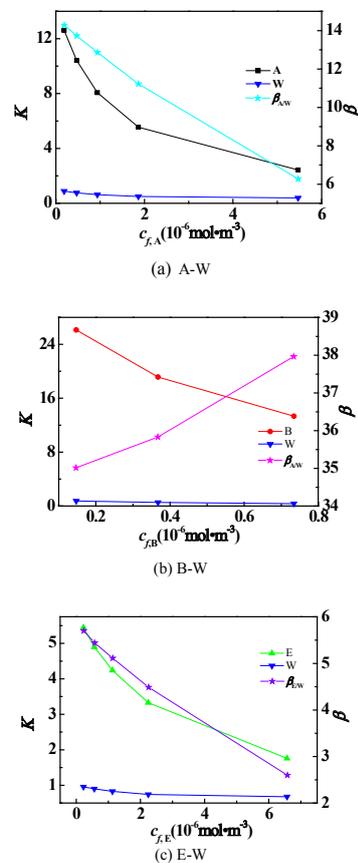


Figure 1: Partition coefficient and equilibrium solubility selectivity of different concentration of ABE solution with PDMS membrane pervaporation at 313.2K.

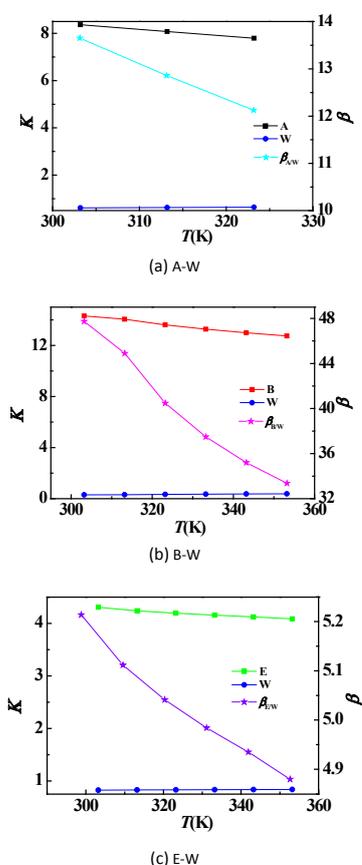


Figure 2: Partition coefficient and equilibrium solubility selectivity of 5 wt% ABE solution with PDMS membrane pervaporation at different temperature.

calculation, the equation (7) was transformed to equation (9).

$$\frac{1}{J} = \frac{\delta_m}{KD_m c_f} + \frac{2}{k_s c_f} \quad (9)$$

Equation (9) demonstrated that  $J^{-1}$  versus  $\delta_m$  gave a linear plot. According to the linear fitting of  $J$  to different membrane thickness at the same concentration,  $D_m$  and  $k_s$  which were difficult to be determined directly were achieved with known  $K$ . Experimental data of pervaporation for ABE binary aqueous solution at different membrane thickness was displayed in Figure 3. The thickness of membrane was controlled in the range of 2-50  $\mu\text{m}$ .

Figure 3 showed that all the flux of components decreased with increasing membrane thickness, while the separation factor increased. Trade off effect between flux and separation factor occurred as in other membrane separation techniques.  $J$  and  $\alpha$  were both in the order, acetone > butanol > ethanol. When the membrane thickness was over 10  $\mu\text{m}$ ,  $\alpha$  changed very little. That meant the dissolution process might be approximated with equilibrium process. The flux could be treated by Origin software according to Equation (9) to achieve linear fitting result as Figure 4.

Figure 4 showed  $J^{-1}$  had relative good linear relationship with  $\delta_m$  as predicted by the model. When  $K$  was known from Huang's method,  $D_m$  and  $k_s$  of components could be evaluated from the slope and intercept of the line, which could be used in the following prediction for the separation performance.

From Equation (9) and Figure 4, the slope of fitting line was  $\frac{1}{KD_m c_f}$  and the intercept was  $\frac{2}{k_s c_f}$ . Then the average value of  $D_m$  and  $k_s$  of the components at 313.2K determined by the nonequilibrium model with known  $K$  and  $c_f$  were listed in the Table 1.

From Table 1, acetone had the largest  $D_m$  and  $k_s$  in the PDMS membrane, while water had the smallest  $D_m$  and  $k_s$ .  $D_m$  and  $k_s$  were not only related with relative size of component and polymer molecule, but also determined by the affinity among them, which might be accused for the difference.

### Pervaporation performance evaluation and predicted values via nonequilibrium model

Nonequilibrium model was then applied for the prediction of pervaporation performance with various operation conditions.

#### Feed concentration effect

Feed concentration was an important factor for pervaporation flux and separation factor. The concentration of ABE feed solution was adjusted to carry on the pervaporation experiments. Pervaporation experimental results and predicted values via nonequilibrium model with different feed concentration were shown in Figure 5. Mass concentration of butanol was controlled lower than 5% because phase separation would occur over 7 wt% at room temperature.

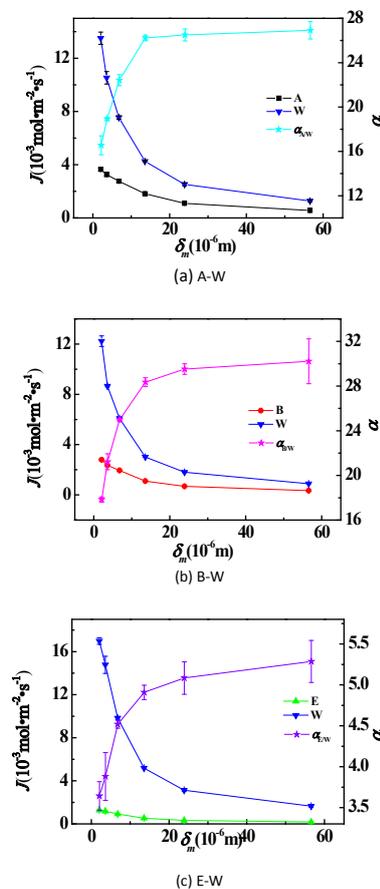


Figure 3: Flux and separation factor of 5 wt% ABE solution with different thickness of PDMS membrane at 313.2K.

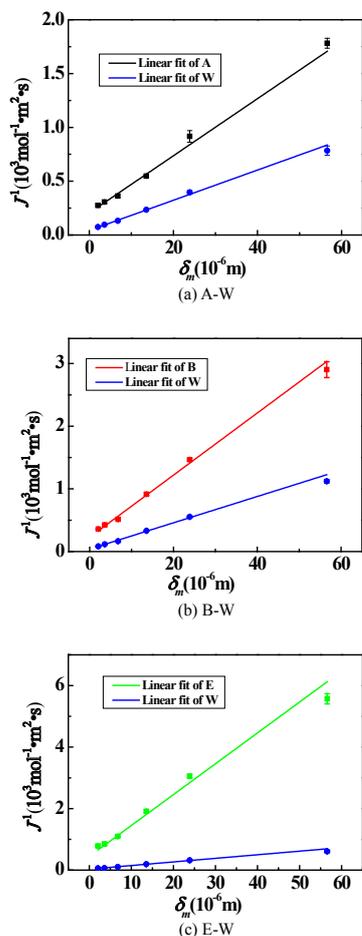


Figure 4: Linear fitting of  $J^1$  versus  $\delta_m$  for 5 wt% ABE solution at 313.2K.

Component	$D_m$ ( $10^{-12} \text{m}^2 \text{s}^{-2}$ )	$k_s$ ( $10^{-6} \text{m} \text{s}^{-1}$ )
Acetone	6.106	7.722
Butanol	2.589	6.221
Ethanol	2.050	3.208
Water	1.867	0.7988

Table 1: Calculated  $D_m$  and  $k_s$  of acetone, butanol, ethanol and water at 313.2K.

From Figure 5, the pervaporation flux of ABE increased with increasing concentration of ABE, while the water flux declined. Separation factors of acetone and ethanol decreased with the increasing concentration, while butanol was on the verse. It was attributed to the increment of  $K$  with high concentration illustrated in Figure 1b. The calculated values according to equation (7) were in moderate accordance with experimental results in low concentration (<5 wt%), which explained that  $k_s$  was independent of concentration. Huge deviation of calculated and experimental results at higher concentration might be caused by the intensified swelling of organics with PDMS polymer chain.

### Temperature effect

Temperature effect on the pervaporation performance was further examined. The operation temperature for pervaporation was in the range 303-353K for 5 wt% ABE solution. The results were shown in Figure 6.

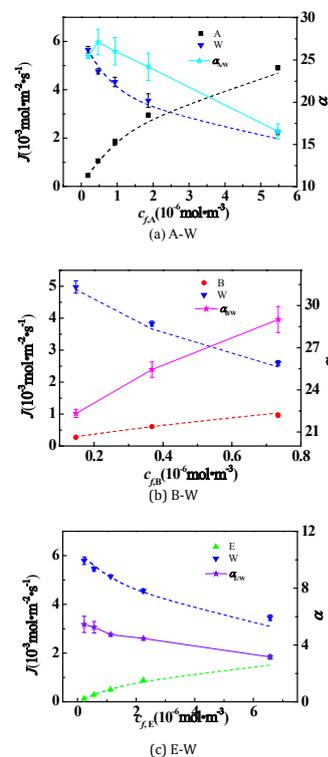


Figure 5: Experimental flux, separation factor and predicted values via non-equilibrium model with different feed concentration at 313.2K (Dash line represented the model calculated results).

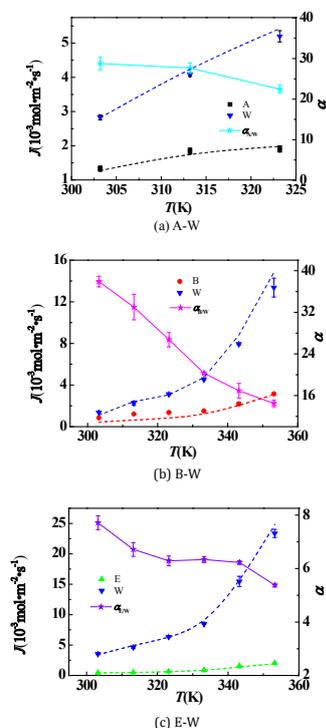


Figure 6: Experimental flux, separation factor and predicted values via non-equilibrium model for 5 wt% ABE solution at different temperature (Dash line represented the model calculated results).

From Figure 6, all the flux increased with temperature elevating, while the separation factor decreased. The predicted curve of nonequilibrium model agreed with the experimental results well.  $D_m$  and  $k_s$  at different temperature were determined the same as the method presented above. The change of  $D_m$  and  $k_s$  with temperature was showed in Figure 7.

As shown in Figure 7,  $D_m$  and  $k_s$  of all the components increased with higher temperature. Based on the pseudo reaction hypothesis, the kinetic adsorption process could be treated by Arrhenius fitting like diffusion as equation (11) and equation (12),

$$D_m = D_{m,0} e^{-\frac{E_D}{RT}} \quad (11)$$

$$k_s = k_{s,0} e^{-\frac{E_s}{RT}} \quad (12)$$

where  $E_D$  and  $E_s$  were the diffusion and kinetic adsorption activation energy respectively,  $D_{s,0}$  and  $k_{s,0}$  the pre-exponential factors. Through linear fitting of  $\ln D_m$  versus  $1/T$  and  $\ln k_s$  versus  $1/T$  according to equation (11) and equation (12) in Figure 7,  $E_D$  and  $E_s$  were characterized by the slope of the fitting line, while the intercept characterized the  $D_{s,0}$  and  $k_{s,0}$ . The value of were collected in Table 2.

From Table 2, water had the largest  $E_s$  and  $E_D$ , which meant that  $k_s$  and  $D_s$  of water changed the most with temperature. Butanol had the smallest  $k_{s,0}$  and  $D_{s,0}$ , which might be accused to the large volume of the butanol molecule. Those values would be applied for the  $D_m$  and  $k_s$  determination and flux calculation at the other temperature.

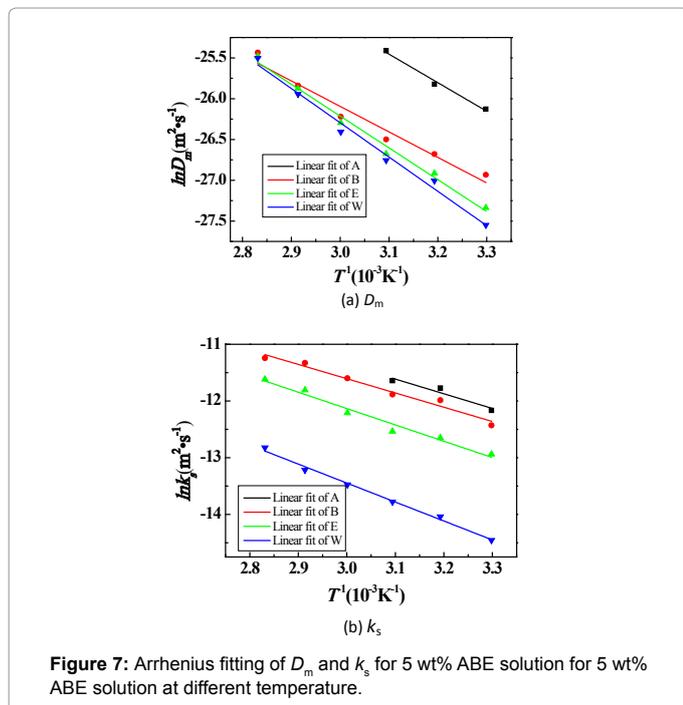


Figure 7: Arrhenius fitting of  $D_m$  and  $k_s$  for 5 wt% ABE solution for 5 wt% ABE solution at different temperature.

Component	$E_s$ ( $10^3 \text{kg} \cdot \text{m} \cdot \text{s}^{-2}$ )	$E_D$ ( $10^3 \text{kg} \cdot \text{m} \cdot \text{s}^{-2}$ )	$k_{s,0}$ ( $10^{-2} \text{m} \cdot \text{s}^{-1}$ )	$D_{m,0}$ ( $10^{-7} \text{m} \cdot \text{s}^{-2}$ )
Acetone	-2.588	-3.497	2.753	4.504
Butanol	-2.516	-3.128	1.729	0.5533
Ethanol	-2.881	-3.901	3.046	4.994
Water	-3.344	-4.204	3.285	11.41

Table 2: Calculated  $E_s$ ,  $E_D$ ,  $k_{s,0}$  and  $D_{m,0}$  of acetone, butanol, ethanol and water.

## Conclusions

In our pervaporation research, the dissolution and desorption steps were not equilibrium processes, which was different from traditional opinions and proved by the separation factor changing with membrane thickness. So the dissolution and desorption was treated as pseudo surface reaction in this work and nonequilibrium dissolution-diffusion model for pervaporation membrane separation was built and analyzed. Membrane thickness, partition coefficient, diffusion and adsorption velocity were all related with flux from the semi-experimental model. Only the thickness of the membrane was very thick or the dissolution-desorption was extremely fast, the mass transfer resistance of dissolution and desorption could be ignored. After partition coefficient achieved by UNIFAC-ZM model and diffusion coefficient and adsorption rate constant regressed from the experiments, the model was applied in prediction of pervaporation separation for low organics concentration of acetone-water, butanol-water and ethanol-water with PDMS membrane. The operation conditions like membrane thickness, feed concentration and temperature were all examined. The experimental results were in good accordance with model calculation. Kinetic solubility process, as well as diffusivity, affected strongly the overall permeation and separation behavior of a PDMS membrane, which could thus be a strong function of the penetrant. Though the nonequilibrium dissolution - diffusion model is not very popular at present, this discussion might introduce the interest of research with membrane surface and dissolution kinetics in future. Those thermodynamics and kinetic parameters could not only be applied for the further performance prediction and material selection, but also offer the data to the further theoretical models for gas separation, pervaporation and reverse osmosis based on the same nonequilibrium mechanism.

## Acknowledgement

We highly appreciated the financial supports of Jiangsu National Synergetic Innovation Center for Advanced Materials (SICAM), National Natural Science Foundation of China (21576150), Science Foundation of Tsinghua University (20131089399) and the Special funds for technological development research of Research Institutes from National Ministry of Science and Technology (2013EG111129).

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