

A Vague Set Based Model for Regional Blood Supply and Demand Balance Adjustment

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Abstract

For the collection and clinical usage quantities of regional blood changing randomly, it is hard to efficiently adjust regional blood supply and demand balance extent with quantitative way. To solve this problem to some extent, a vague set based adjustment model is proposed. Blood stock level of regional blood center being chosen as expressing indicator and the ideal blood stock level interval as criteria, and considering the fuzzy characters of the indicator being subject to its criteria interval, vague set similarity measure function is applied to found a vague set based measure function for regional blood supply and demand balance extent. With the introduction of adjustment factor, derived from the measure function, an adjustment model for regional blood supply and demand balance is established. With the application of the model, and referring to the literature published blood stock operation data of several regional blood centers in China, a determination method of the aimed lower and upper limit of blood center stock control level is obtained. The aimed lower and upper limit of blood center stock control level can be an operable reference to blood center stock operation, which is helpful for regional blood center to effectively manage its blood stock level according to different regional blood supply and demand balance goal.

Keywords: Blood supply; Supply and demand; Vague set; Similarity measure

Introduction

According to the principle of blood supply and demand balance, it would be the sign of regional blood being at supply and demand equilibrium state that regional blood center stock's real level waves around its ideal level. For the collection and clinical usage quantities of regional blood are all impacted by many complicated factors, it is hard to control a blood center stock's real level close to an exact ideal level all the time, and the related cost is usually large, a more practical and effective method is that, let a blood center stock level changing in a reasonable interval. However, a problem is emerging, what kind of blood center stock level interval is reasonable, that is, what kind of blood center stock level interval can satisfy the requirement of regional blood supply and demand equilibrium. At present, studies on regional blood supply and demand balance mostly focus on concept and idea, and study on the concrete model for regional blood supply and demand balance adjustment is seldom published. The following are several relevant representative research works published in the literature. Brodheim and Prastacos [1] constructed a Markov chain based model. With the application of the model, regional blood allocation strategies can be gained. Kopach et al. [2] developed a red blood cell stock management system based on a queuing model, and analyzed the efficiency of the model with simulation method. Dijk et al. [3] combined stochastic dynamic programming with simulation to develop a novel approach. The approach can deal with the tradeoff between outdated and shortages of blood platelet production.

In this paper, a vague set based model is proposed for regional blood supply and demand balance adjustment with quantitative way. Blood stock level of regional blood center is chosen as expressing indicator and the ideal blood stock level interval as criteria, and considering the fuzzy characters of the indicator being subject to its criteria interval, vague set similarity measure function is applied to found a vague set based measure function for regional blood supply and demand balance extent. With the introduction of adjustment factor for regional blood supply and demand balance, derived from the measure function, an adjustment model for regional blood supply and demand balance is

established. With the application of the model, and referring to the literature published blood stock operation data of several regional blood centers in China, a determination method of the aimed lower and upper limit of blood center stock control level is obtained. The aimed lower and upper limit of blood center stock control level can be an operable reference to blood center stock operation, which is helpful for regional blood center to effectively manage its blood stock level according to different regional blood supply and demand balance goal. For the complexity of regional blood supply and demand balance adjustment, the adjustment model proposed in this paper is still simple, there still exists many aspects necessary to be improved further, in future research, some relevant impact factors, such as blood center operation cost and even blood center operation officer's risk preference etc. might also be integrated into the model, which would make the model more practical and effective.

Methods

With respect to the quantitative description of blood stock's real level waving around its ideal level, the expression of fuzzy concept is involved, therefore, Vague sets theory that Gau and Buehrer put forward in the year 1993 is introduced [4].

Definition: Let X be a space of points (objects), with a generic element of X denoted by x [4]. A vague set V in X is characterized by a truth-membership function t_v and a false-membership function f_v , $t_v(x)$ is a lower bound on the grade of membership of x derived from the

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evidence for x , and $f_v(x)$ is a lower bound on the negation of x derived from the evidence against x . $t_v(x)$ and $f_v(x)$ both associate a real number in the interval $[0,1]$ with each point in X , where $t_v(x) + f_v(x) \leq 1$. That is $t_v: X \rightarrow [0,1]$, $f_v: X \rightarrow [0,1]$. This approach bounds the grade of membership of x to a subinterval $[t_v(x), 1 - f_v(x)]$ of $[0,1]$. In other words, the exact grade of membership $\mu_v(x)$ of x may be unknown, but is bounded by $t_v(x) < \mu_v(x) < 1 - f_v(x)$, where $t_v(x) + f_v(x) \leq 1$.

Let A and B be two vague sets in the universe of discourse X , if there are following characters with $M(A, B)$: (a) $0 \leq M(A, B) \leq 1$, (b) $M(A, B) = M(B, A)$, (c) $M(A, B) = 1 \leftrightarrow A=B$, $M(A, B)$ is called as the similarity degree between vague sets A and B [5].

In this paper, the following similarity measure function brought forward by Chen is used for the measure of regional blood supply and demand balance extent, and also for the formation of regional blood supply and demand balance adjustment model [6].

Let $x=[t_x, f_x]$ be a vague value, where $t_x \in [0,1]$, $f_x \in [0,1]$, and $t_x + f_x \leq 1$. Then, the score of x can be evaluated by the score function S shown as $S(x) = t_x - f_x$, where $S(x) \in [-1,1]$. Let $f_x^* = 1 - f_x$, then we can see that $x=[t_x, 1 - f_x] = [t_x, f_x^*]$. In this case, we can see that $S(x) = t_x - f_x = t_x + f_x^* - 1$.

Let X and Y be two vague values, $X=[t_x, 1 - f_x] = [t_x, f_x^*]$ and $Y=[t_y, 1 - f_y] = [t_y, f_y^*]$. The similarity degree between the vague values X and Y , marked as M , can be evaluated by the function (1) [6],

$$M = 1 - \left| \frac{S(X) - S(Y)}{2} \right| \quad (1)$$

Where $S(X) = t_x - f_x = t_x + f_x^* - 1$ and $S(Y) = t_y - f_y = t_y + f_y^* - 1$. In Equation 1, $M \in [0,1]$. M value being higher, vague values X and Y are more similar.

Results

With the blood stock level of regional blood center being chosen as expressing indicator and the ideal blood stock level interval as criteria, basing on the application of vague sets similarity measure function, a measure function for regional blood supply and demand balance extent is achieved, further with the introduction of adjustment factor, a model for regional blood supply and demand balance adjustment is constructed. By the application of the function and the model, and referring to the literature published blood stock operation data of several regional blood centers in China, a choosing method of adjustment factor and a determination method of the aimed lower and upper limit of blood center stock control level are gained.

For there exist 4 types of blood, and the supply and demand quantities of each blood type varies differently in the course of regional blood center stock management, the function and the model proposed in this paper are mainly aimed at each specific blood type.

Measure function for regional blood supply and demand balance extent

Supposing the indicator of regional blood center stock level of each blood type being marked as y_i , the blood type is indexed by $i(i=1,2,3,4)$, respectively representing 4 blood types of A, B, O and AB. And there exist different regional blood center stock level state set of blood type i , marked as $Y_i = \{y_{ij}\}$, the state is indexed by $j(j=1,2,\dots, n)$. Concerning the measure for regional blood supply and demand balance extent of blood type i , supposing there is a vague value $w_{i,j} = [t_{i,j}, 1 - f_{i,j}]$ of regional blood supply and demand balance state of blood type i , which is related

to blood stock level state y_{ij} of blood type i . And the vague value of regional blood supply and demand equilibrium state of blood type i represented by the ideal value $y_{i,m}$ of y_{ij} is .

For the similarity between regional blood supply and demand balance state of blood type i represented by the real value of y_{ij} and its equilibrium state represented by the ideal value $y_{i,m}$ of y_{ij} , can express the similar extent between the two states, the similarity may be defined as regional blood supply and demand balance degree, marked as E_{ij} . Referring to Equation 1, E_{ij} can be calculated by Equation 2.

$$E_{i,j} = 1 - \left| \frac{S(w_{i,j}) - S(w_{i,m})}{2} \right| = 1 - \left| \frac{t_{i,j} - t_{i,m} - (f_{i,j} - f_{i,m})}{2} \right| \quad (i=1,2,3,4, \quad j=1,2,\dots,n) \quad (2)$$

In Equation 2, $E_{ij} \in [0,1]$. E_{ij} Value being higher, the state of regional blood supply and demand balance of blood type i is better; On the contrary, the state is worse.

If the clinical usage proportion weight of blood type i in a region is marked as ω_i , the regional blood supply and demand balance degree E_j of state j can be calculated by Equation 3.

$$E_j = \sum_{i=1}^4 E_{i,j} \cdot \omega_i \quad (3)$$

In Equation 3, $E_j \in [0,1]$. E_j value being higher, the state of regional blood supply and demand balance is better; On the contrary, the state is worse.

Depending on E_j value interval $[0,1]$, a recommended evaluation standard for regional blood supply and demand balance state can be founded as Table 1.

Model for regional blood supply and demand balance adjustment

Let the minimum value, ideal interval lower limit, ideal value, ideal interval upper limit, and maximum value of y_{ij} are marked respectively as $\underline{y}_i, \underline{y}_i, y_{i,m}, \overline{y}_i$ and \overline{y}_i .

Referring to Equation 2, regional blood supply and demand balance extent of blood type i can be measured by y_{ij} , so if the real value of y_{ij} being changed to an object by adjustment, accordingly regional blood supply and demand balance state of blood type i is also controlled to a related goal. If the aimed value of y_{ij} is $y_{i,k}$, and the ideal value is $y_{i,m}$, depending on Equation 2, the regional blood supply and demand balance degree $E_{i,k}$ of blood type i can be calculated by Equation 4.

$$E_{i,k} = 1 - \left| \frac{S(w_{i,k}) - S(w_{i,m})}{2} \right| = 1 - \left| \frac{t_{i,k} - t_{i,m} - (f_{i,k} - f_{i,m})}{2} \right| \quad (4)$$

In Equation 4, $E_{i,k} \in [0,1]$. $E_{i,k}$ value being higher, the aimed state of regional blood supply and demand balance of blood type i is better, On the contrary, the state is worse.

Generally, in regional blood center stock operation, as the aimed

E	Supply and Demand Balance State	Supply and Demand Balance State Evaluation
1.00	Equilibrium	Good
[0.80,1.00)	Near Equilibrium	Normal
[0.60,0.80)	A little Deficient or Excessive Supply	Critical
[0.30,0.60)	Deficient or Excessive Supply	Abnormal
[0.00,0.30)	Extremely Deficient or Excessive Supply	Bad

Table 1: Recommended evaluation standard for regional blood supply and demand balance state.

value $y_{i,k}$ of y_{ij} being closer to its ideal value $y_{i,m}$, the operation may become more difficult, that is, in the value interval $[0,1]$ of regional blood supply and demand balance degree $E_{i,k}$ of blood type i , as $E_{i,k}$ increasing, the regional blood supply and demand balance adjustment of blood type i may become more difficult. If an adjustment factor, marked as R_i , is introduced to express this kind of adjustment effect, basing on the above understanding, there may be the following function relationship between $E_{i,k}$ and the adjustment factor R_i of blood type i .

$$E_{i,k} = f(R_i) = \lg(R_i) \quad (5)$$

In Equation 5, $R_i \in [1,10]$. R_i value being higher, the related adjustment strength produced by R_i is stronger, On the contrary, the related adjustment strength is weaker.

Equation 6 derived from Equation 5 can determine adjustment factor R_i value of blood type i according to regional blood supply and demand balance degree $E_{i,k}$ of blood type i .

$$R_i = f^{-1}(E_{i,k}) = 10^{(E_{i,k})} \quad (6)$$

Basing on Equation 4 and Equation 5, the model for regional blood supply and demand balance adjustment of blood type i can be deduced as the following.

If the aimed adjustment value $y_{i,k}$ of y_i , being less than the lower limit of y_i ideal interval, that is, $\underline{y}_i < y_{i,k} < \underline{y}_i$, the vague value $w_{i,k}$ of $y_{i,k}$

is, $w_{i,k} = [t_{i,k}, 1 - f_{i,k}] = \left[\frac{y_{i,k} - \underline{y}_i}{y_{i,m} - \underline{y}_i}, \frac{y_{i,k} - \underline{y}_i}{\underline{y}_i - \underline{y}_i} \right]$. And the vague value $w_{i,m}$ of the

ideal value $y_{i,m}$ of y_i is $w_{i,m} = [t_{i,m}, 1 - f_{i,m}] = [1, 1]$. Hence integrating Eqs. (4) and (5), the relationship function at the interval $\underline{y}_i < y_{i,k} < \underline{y}_i$ between the aimed adjustment value $y_{i,k}$ of y_i and the adjustment factor R_i of blood type i can be constructed as Equation 7.

$$y_{i,k} = \underline{y}_i + \frac{2(\lg(R_i))(y_{i,m} - \underline{y}_i)(\underline{y}_i - \underline{y}_i)}{y_{i,m} + \underline{y}_i - 2\underline{y}_i} \quad (7)$$

Similarly, if the aimed adjustment value $y_{i,k}$ of y_i being at the following intervals $\underline{y}_i \leq y_{i,k} < y_{i,m}$, $y_{i,m} < y_{i,k} \leq \bar{y}_i$ and $\bar{y}_i < y_{i,k} \leq \bar{y}_i$, the relationship functions between the aimed adjustment value $y_{i,k}$ of y_i and the adjustment factor R_i of blood type i can also be obtained respectively.

With the integration of the above, supposing the aimed adjustment lower limit and upper limit of blood center stock level of blood type i being marked as $\underline{y}_{i,k}$, $\bar{y}_{i,k}$ respectively, the model for regional blood supply and demand balance adjustment of blood type i can be established as Equation 8.

$$\left\{ \begin{array}{l} y_{i,k} = \left\{ \begin{array}{l} \underline{y}_i + \frac{2(\lg(R_i))(y_{i,m} - \underline{y}_i)(\underline{y}_i - \underline{y}_i)}{y_{i,m} + \underline{y}_i - 2\underline{y}_i} \quad (\underline{y}_i \leq y_{i,k} < \underline{y}_i) \\ \underline{y}_i + (2\lg(R_i) - 1)(y_{i,m} - \underline{y}_i) \quad (\underline{y}_i \leq y_{i,k} < y_{i,m}) \end{array} \right. \\ \\ y_{i,k} = \left\{ \begin{array}{l} \bar{y}_i - (2\lg(R_i) - 1)(\bar{y}_i - y_{i,m}) \quad (y_{i,m} < y_{i,k} \leq \bar{y}_i) \\ \bar{y}_i - \frac{2(\lg(R_i))(y_{i,m} - \underline{y}_i)(\bar{y}_i - \underline{y}_i)}{2\underline{y}_i - y_{i,m} - \underline{y}_i} \quad (\bar{y}_i < y_{i,k} \leq \bar{y}_i) \end{array} \right. \end{array} \right. \quad (8)$$

Basing on Equation 8, according to adjustment factor R_i value,

the aimed lower limit $\underline{y}_{i,k}$ and upper limit $\bar{y}_{i,k}$ of blood center stock level of blood type i can be calculated. The aimed lower limit $\underline{y}_{i,k}$ and upper limit $\bar{y}_{i,k}$ of blood center stock level of blood type i are clear and operable instructions to regional blood center stock operation.

The choosing method of adjustment factor

By Equation 6, the changing curve of adjustment factor R_i and its increasing interval according to regional blood supply and demand balance degree $E_{i,k}$ of blood type i can be got as Figure 1.

Depending on Figure 1, Table 1 and Equation 3, according to different adjustment goal of regional blood supply and demand balance, a recommended choosing method for adjustment factor R_i value of blood type i is formed as Table 2.

The determination method of the aimed lower and upper limit of blood center stock level

Referring to the literature published blood stock operation data of several regional blood centers in China, the parameters values of the model for regional blood supply and demand balance adjustment can be recommended.

While using Equation 8 to determine the aimed adjustment lower limit $\underline{y}_{i,k}$ and upper limit $\bar{y}_{i,k}$ of blood center stock level of blood type i , it is necessary to determine the parameters in Equation 8 which are the minimum value \underline{y}_i , ideal interval lower limit \underline{y}_i , ideal value $y_{i,m}$,

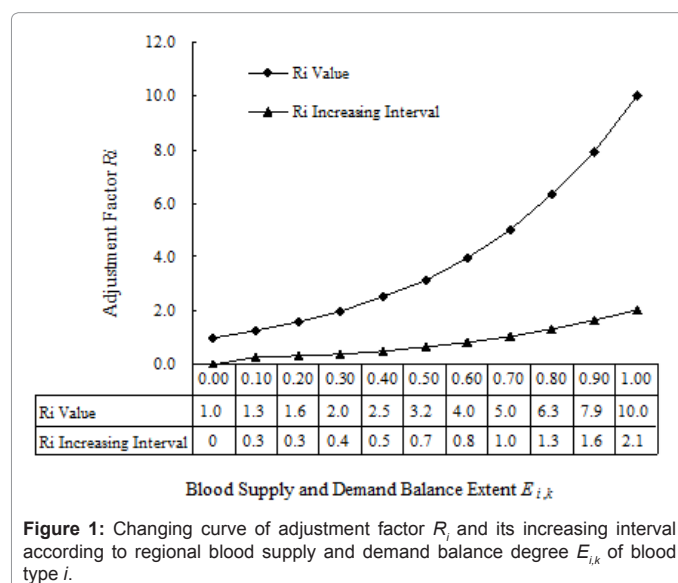


Figure 1: Changing curve of adjustment factor R_i and its increasing interval according to regional blood supply and demand balance degree $E_{i,k}$ of blood type i .

Adjustment Goal	Recommended Interval for the Choosing of R_i Value	Aimed Interval for $E_{i,k}$
Reducing extremely deficient supply	[1,4]	[0.00,0.60]
Almost eliminating deficient supply	[4,7]	[0.60,0.85]
Tending to equilibrium or equilibrium	[7,10]	[0.85,1.00]
Almost eliminating excessive supply	[4,7]	[0.60,0.85]
Reducing extremely excessive supply	[1,4]	[0.00,0.60]

Table 2: Recommended choosing method for adjustment factor R_i value of blood type i .

ideal interval upper limit \overline{y}_i , and maximum value $\overline{\overline{y}}_i$ of y_i . Referring to the published blood stock operation data of several regional blood centers in China in the literature [7-11], and supposing the average blood usage quantity per day in a blood center during a selected period of blood type i being marked as $C_i(U)$, the parameters values in Equation 8 can be recommended as Table 3.

Basing on Table 2, concerning different adjustment goals, a series of related adjustment factor R_i values can be chosen. By Table 3 and Equation 8, according to the chosen adjustment factor R_i values, the aimed lower and upper limit coefficients and their intervals of blood center stock level of blood type i can be got as Figure 2.

In blood stock management practice of a regional blood center, the lower, upper limit of blood center stock level values of blood type i can be obtained by the lower, upper limit coefficients in Figure 2 being multiplied with the average blood usage quantity $C_i(U)$ per day of blood type i in the blood center.

From the aimed lower and upper limit coefficients of blood center stock level of blood type i in Figure 2, by Equation 2, the related regional blood supply and demand balance degree $E_{i,k}$ of blood type i can be got as Figure 3.

Analysis and discussion

(1) Considering the complexity of relationship between adjustment factor and regional blood supply and demand balance extent, the related relationship function is designed to be logarithm function, which produces the adjustment effect like that, by the same step length the adjustment factor value is raised in interval [1,10], but the increases of blood center blood stock level and regional blood supply and demand balance degree is becoming smaller and smaller. The designed adjustment effect may reflect that, the closer the real state of regional blood supply and demand balance to its ideal state, the more difficult

\underline{y}_i [U]	\overline{y}_i [U]	$y_{i,m}$ [U]	$\overline{\overline{y}}_i$ [U]	$\overline{\overline{\overline{y}}}_i$ [U]
$1C_i$	$4C_i$	$7C_i$	$10C_i$	$14C_i$

Table 3: The recommended values of parameters in Eq. 8.

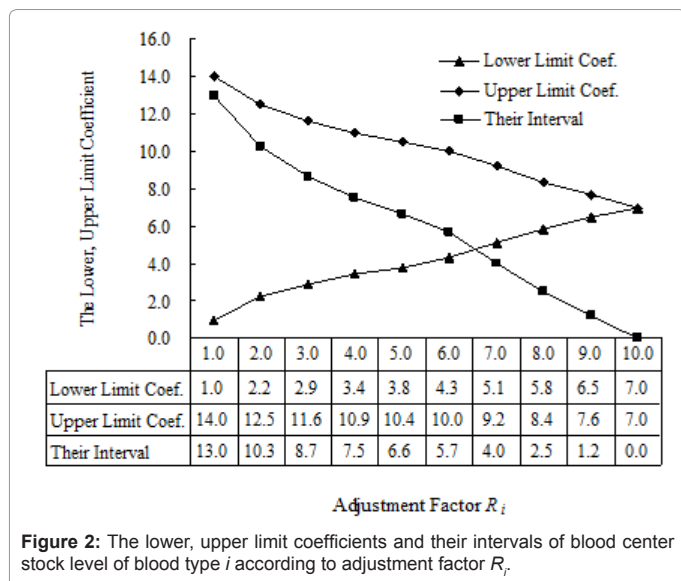


Figure 2: The lower, upper limit coefficients and their intervals of blood center stock level of blood type i according to adjustment factor R_i .

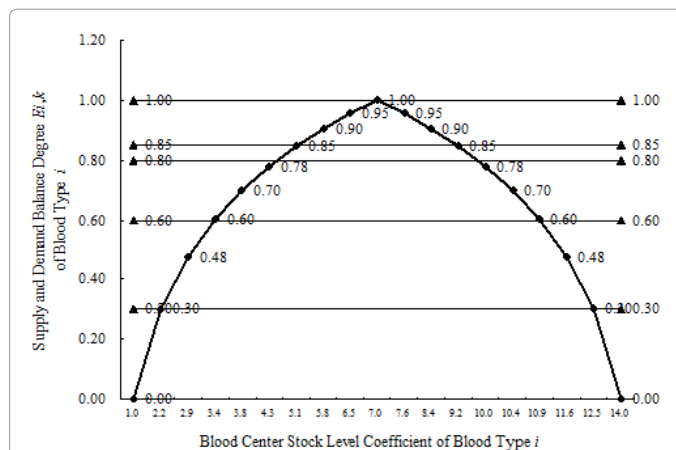


Figure 3: The changing curve of supply and demand balance degree $E_{i,k}$ according to blood center stock level coefficients of blood type i .

the adjustment operation is, therefore, the less improvement of the state the same rising of adjustment factor can produce.

(2) From Tables 1 and 2 and Figure 1, we can see the following adjustment effect which is made by the designed logarithm function. If the aimed adjustment goal is “Almost eliminating excessive supply” or “Almost eliminating deficient supply”, the possibly choosing value of adjustment factor is at interval [4,7], the possibly achieved regional blood supply and demand balance degree is at interval (0.60,0.85), and the possibly achieved regional blood supply and demand balance state is “A little deficient or excessive supply” or “Near equilibrium”. If the aimed adjustment goal is “Tending to equilibrium or equilibrium”, the possibly choosing value of adjustment factor is at interval [7,10], the possibly achieved regional blood supply and demand balance degree is at the interval of (0.85,1.00), and the possibly achieved regional blood supply and demand balance state is “Near equilibrium” or “Equilibrium”.

(3) From Figures 2 and 3, we can see the following adjustment result which is made by the adjustment model. With the adjustment factor R_i value being chosen from 1.0 up to 10.0, the lower limit coefficient of blood center stock level of blood type i increases from 1.0 up to 7.0, while the upper limit coefficient decreases from 14.0 up to 7.0, consequently the interval between lower and upper limit coefficient declines quickly from 13.0 up to 0.0, and the regional blood supply and demand balance degree of blood type i is raised from 0.00 up to 1.00, in the course of the regional blood supply and demand balance degree of blood type i tending to 1.00, the gain becomes less and less with the same step length the adjustment factor R_i value being raised.

(4) From Figure 3, some suggestion for regional blood center to control blood stock level can be recommended as the following. If it is expected that the regional blood supply and demand balance degree of blood type i be not less than 0.60, the horizontal line marked 0.60 is critical line, hence the lower, upper limit coefficient of blood center stock level of blood type i might be more than 3.4 and less than 10.9 respectively. If it is expected that the supply and demand balance extent of blood type i be not less than 0.85, the horizontal line marked 0.85 is critical line, the lower, upper limit coefficient of blood center stock level of blood type i might be more than 5.1 and less than 9.2 respectively. Concerning other regional blood supply and demand balance degree values of blood type i , the lower, upper limit coefficient of blood center stock level of blood type i is determined by the same method. In blood

stock management practice of a regional blood center, the lower, upper limit of blood center stock level control values of blood type i can further be got by the lower, upper limit coefficients being multiplied with the average blood usage quantity $C_i(U)$ per day of blood type i in the blood center.

Conclusions

The vague set based model for regional blood supply and demand balance adjustment is proposed. The model works with the help of a standardized adjustment factor, and the adjustment factor being integrated into the model is depended on the application of a vague set similarity measure function. Because of the design of logarithm function relationship between regional blood supply and demand balance extent and adjustment factor, the adjustment by the model can be practical and exact to some extent, moreover, the aimed lower and upper limit of blood center stock control level got from the model can be an operable and clear reference to blood center stock operation, which is helpful for regional blood center to effectively adjust its blood stock level according to different regional blood supply and demand balance goal. Although the adjustment effect of the model is comparatively satisfied, necessarily the model should be improved further, for the state of regional blood supply and demand balance is impacted by many complicated factors, such as the dynamic character of blood collection and usage in a region, and even blood center operation officer's risk preference, blood center operation cost, etc. In future study, more efforts should be focused on developing more proper methods to integrate the relevant impact factors into the model, so as to make the model more practical and effective.

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