

The Effective using of Higher Strength Structural Steels in Compression Members

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Abstract

The continuous effort to achieve more efficiency of steel structures results to decrease their weight. Generally, it is accepted that the weight decreasing of steel structures could be achieved mainly by their geometrical and material optimization, using the thin-walled cross-sections and the higher strength steels. The results of numerical analysis of middle and higher strength structural steels using in compression members are presented in the paper. The homogeneous I cross-sections of the members with web slenderness $\beta_w = 40, 48, 60, 80, 120$; member length $L = 3,0; 4,0; 5,0; 6,0$ m and structural steels S235, S275, S355, S420 and S460 were assumed. The full theoretical plastic load N_{pl} , local post-critical load N_{ul} and global buckling load N_{uy} and N_{uz} for all considered members by the European standards EN 1993-1-1 and EN 1993-1-5 for the design of steel structures were calculated. It is known that these standards have been transformed into national standards of all CEN countries which are generally used from 2010. The effective applying of the higher strength steels on the compressed members taking in consideration their shaping and material optimization is presented in this paper. The obtained numerical results are compared and analysed by choosing technical parameters.

Keywords: Compressed steel members; Homogeneous cross-sections; Yield stress; Post-critical behaviour; Local and global buckling load

Introduction

The calculation methods and procedures for steel compressed member design, which are applied in the present Standards, are based on the theoretical and experimental research of many researchers [1,2]. The certain research of the elastic-plastic load carrying capacity of thin-walled steel members with quasi-homogenous and combined cross-section was realized also by authors of this paper [3,4].

The geometrical design of the member cross-sections is very important for the optimizing of the welded I cross-sections. The essential point for optimizing is the partition of the total section area (A) to the web area (A_w) and the flanges ($2A_f$), which is characterized by the ratio $\gamma = A_w / A$. In the case of simple elastic design of member I cross-sections the optimal ratio of sections areas $\gamma \approx 0,5$. Following on the provided accurate numerical optimizing analysis, it is useful to design the member I cross-sections with local stability flanges and adequate web thickness - slenderness, due to their favourable post-critical behaviour which is allowed by the current codes regulations. Present design falls into the ratio of the cross-section's area $\gamma < 0,5$ in dependence on the web slenderness β_w ($\beta_w = d/t_w$, where d is the depth and t_w is the web thickness of the cross-section) and the utilizing rate of the post-critical elastic plastic load-carrying capacity. The utilizing of the higher strength steels looks reasonable at the members subjected mostly to bending, if their lateral buckling is secured. At the same time, it is necessary to point out that in the case of bended members

the lateral buckling is usually secured constructively. The load-carrying capacity of compressed members is affected mainly by their global stability. The global stability of compressed members does not depend on the strength, therefore the using of more expensive higher strength steels is not so clear as in case of the bended members. The global stability and related buckling load-carrying capacity of the compressed members seriously depends on their bending and torsion rigidity. Therefore, the efficiency of higher strength steels applying is substantially influenced also by their geometrical - shaping optimization. Economic is not the unique reason to address the shape optimization of steel structures. Raw materials savings - and in a broader sense - sustainability issues are driving factors as well for this work.

Numerical study

With accordance to the purpose of this paper, for the proposal of this numerical study were used an chosen groups of the welded compressed members joint supported on both sides with different I cross-sections, but suitable related geometrical sizes according to the Figure 1, and Table 1A-1E. The analysed cross-sections of all members have had the same sectional area $A = 11520 \text{ mm}^2$, section depth $h = 512 \text{ mm}$, web depth $d = 480 \text{ mm}$ and the thickness of the flanges $t_f = 16 \text{ mm}$. The variable parameters were web thickness and flange's width [5,6]. The web thickness t_w was varying ($t_w = 4,6,8,10,12 \text{ mm}$) in dependence of web slenderness β_w . The flange's width b was varying ($b = 180,210,240,270 \text{ and } 300 \text{ mm}$) in dependence of web thickness t_w . The sectional area of the web A_w and sectional area of the flanges A_f were automatically changed.

Members	A (mm ²)	h (mm)	b (mm)	t _f (mm)	d (mm)	t _w (mm)	A _f (mm ²)	A _w (mm ²)	β _w	β _f	γ
A (1,2,3,4,5)			180			12	2280	5700	40	5,25	0,500
B (1,2,3,4,5)			210			10	3360	4800	48	6,25	0,417
C (1,2,3,4,5)	11520	512	240	16	480	8	3840	3840	60	7,25	0,333
D (1,2,3,4,5)			270			6	4320	2880	80	8,25	0,250
E (1,2,3,4,5)			300			4	4800	1920	120	9,25	0,167

Table 1: Geometrical dimensions and characteristics of member cross-sections.

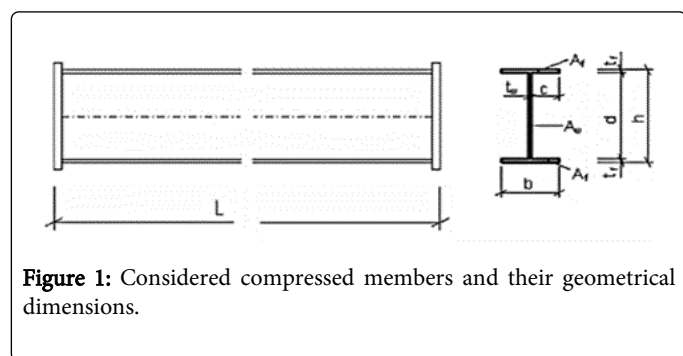


Figure 1: Considered compressed members and their geometrical dimensions.

According used variation a different web slenderness β_w (from 40 to 120) and different ratios of sectional areas γ (from 0,500 to 0,167) were achieved for the individual cross-sections. The web slenderness β_w were adjusted in order to show the markedly impact of the local stability and the load-carrying capacity of the analysed compressed members. On the other hand, the slenderness of the compressed flanges β_f was adjusted locally stable. From the point of view of the cross-section material of all groups were considered all basic structural steels: S235(1), S275(2), S355(3), S420(4) and S460(5). For the individual geometrical cross-section groups (A,B,C,D,E) and material cross-section groups (1,2,3,4,5) finally were adjusted 4 different lengths of members L (L = 3, 4, 5 and 6 m), Table 2.

The slenderness β_w is increased by the intentional modification of the web thicknesses t_w . The rigidity of the cross-sections is increased by both axes (y, z) at the same time, by the relative regrouping of the web area with the flanges and the increasing of the flange's area. The global buckling load-carrying capacity of the members is increased, especially the load-carrying capacity at the more weak rigidity plane (z). By the increasing of the strength, respectively increasing of the steel yield strength, the local and global buckling load-carrying capacity of the members is increased, with dependence on the member's length L and related stable impacts; these are characterized by their slenderness λ_y and λ_z , (Table 2).

The applying of the intentional modification, a total set of 100 compressed members with various geometrical dimensions and strength characteristics were achieved. This enables, with accordance of the main goal, the complex analysis of the compressed steel member design efficiency. For such set of compressed steel members, sequentially according to the methods of European standards EN 1993-1-1 and EN 1993-1-5, the theoretical limit loads $N_{pl,EN}$, $N_{ul,EN}$,

$N_{uy,EN}$ and $N_{uz,EN}$ were calculated. The members limit loads $N_{pl,EN}$ and $N_{ul,EN}$, and their ratio $N_{pl,EN} / N_{ul,EN}$ are presented in the Table 3.

Members	f _y (Mpa)	L (m)	λ _y	λ _z
AS (1,2,3,4,5)				
BS (1,2,3,4,5)				
CS (1,2,3,4,5)	235, 275, 355, 420, 460	3,4,5, 6	from 12,21 to 29,69	from 162,01 to 35,71
DS (1,2,3,4,5)				
ES (1,2,3,4,5)				

Table 2: Member's material and geometrical characteristics.

The global buckling load-carrying capacity $N_{u,y,EN}$ and $N_{u,z,EN}$ of the members in dependence of the length L are calculated by considered standards and presented in the Table 4.

The calculated limit loads $N_{pl,EN}$, $N_{ul,EN}$, $N_{uy,EN}$ and $N_{uz,EN}$ can be explained as:

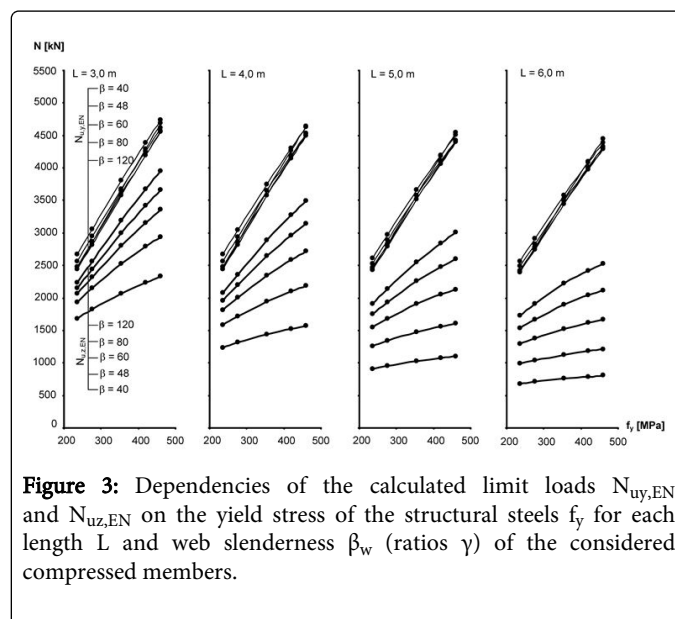
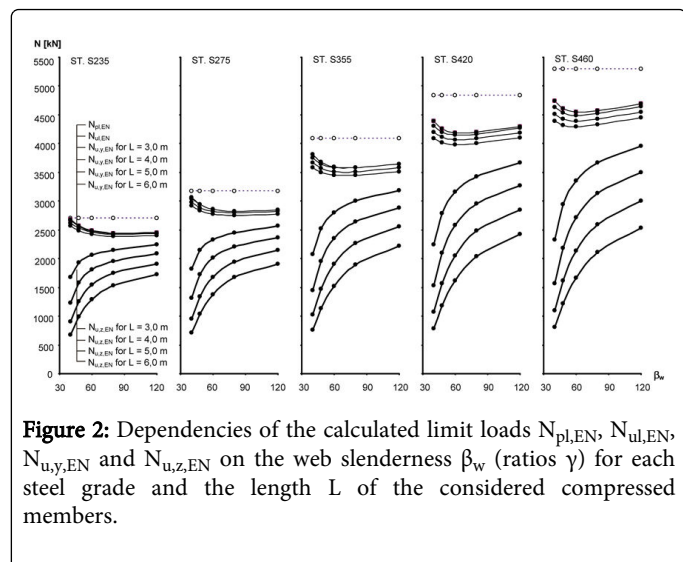
- $N_{pl,EN}$ is plastic load, provided the full compactness of the cross-sections and members.
- $N_{ul,EN}$ is local elastic load-carrying capacity, taking in consideration the impacts of buckling and post-critical behavior of the slenderness webs in the elastic stage.
- $N_{uy,EN}$ is global buckling load-carrying capacity related to the axes y-y, taking in consideration the impacts of local buckling and the global buckling of members in the elastic stage.
- $N_{uz,EN}$ is global buckling load-carrying capacity related to the axes z-z, taking in consideration the impacts of local buckling and the global buckling of members in the elastic stage.

The relative values $N_{pl,EN}/N_{ul,EN}$ characterizing the unfavourable buckling effect of the web through the slenderness β_w , but also the favourable effect of partition the cross-section area to web and flanges through ratio γ . Even, the favourable effect of the partition of the cross-section area to web and flanges predominates in the case of higher slenderness webs β_w .

Members	$N_{pl,EN}$ (kN)	$N_{ul,EN}$ (kN)	$N_{pl,EN}/N_{ul,EN}$	Members	$N_{pl,EN}$ (kN)	$N_{ul,EN}$ (kN)	$N_{pl,EN}/N_{ul,EN}$
AS1	2707,20	2707,2	1,000	CS4	4089,60	3583,3	1,141
AS2	2707,20	2567,3	1,054	CS5	4089,60	3648,5	1,121
AS3	2707,20	2481,8	1,091	DS1	4838,40	4390,0	1,102
AS4	2707,20	2436,3	1,111	DS2	4838,40	4260,7	1,136
AS5	2707,20	2447,5	1,106	DS3	4838,40	4190,7	1,155
BS1	3168,68	3063,9	1,034	DS4	4838,40	4196,7	1,153
BS2	3168,68	2945,3	1,076	DS5	4838,40	4295,6	1,126
BS3	3168,68	2858,9	1,108	ES1	5299,20	4740,1	1,118
BS4	3168,68	2821,2	1,123	ES2	5299,20	4612,6	1,149
BS5	3168,68	2849,0	1,112	ES3	5299,20	4551,1	1,164
CS1	4089,60	3808,2	1,074	ES4	5299,20	4572,3	1,159
CS2	4089,60	3679,8	1,111	ES5	5299,20	4692,9	1,129
CS3	4089,60	3599,3	1,136				

Table 3: Limit loads $N_{pl,EN}$ and $N_{ul,EN}$ for considered compressed members.

Based on the obtained results, it is possible to assign a cross-section characterized by the web slenderness β_w and ratio γ for each steel grade. This cross-section responds with the maximum value of ratio $N_{pl,EN}/N_{ul,EN}$ and also with the minimum local load-carrying capacity $N_{ul,EN}$. By the steel strength increasing, the ratio $N_{pl,EN}/N_{ul,EN}$ is also increasing, but not significantly. For example the maximal value of this ratio for S235 is 1,111 (AS4), and for S460 is 1,164 (ES3).



The graphical evaluation and comparing of the limit loads $N_{pl,EN}$, $N_{ul,EN}$, $N_{uy,EN}$ and $N_{uz,EN}$ of all members, in dependence on the steel strength, web slenderness β_w (ratio γ) and length L , is clearly done on the following Figures 2 and 3. Tables 3 and 4, as well as the Figures 2 and 3, present complete information about the effect of the all determining design parameters for each limit loads, respectively load-carrying capacity of the considered thin-walled steel members.

The effect of web slenderness β_w and sectional areas ratios γ on the local load-carrying capacity of the compressed members $N_{ul,EN}$ was proved. Generally, the effect of web slenderness β_w , could be effectively reduced by suitable distribution of the total cross-sectional area A to

the web and flanges. From a certain ratio γ , the local load-carrying capacity of the compressed members is even increased with the increasing of the web slenderness β_w .

Then, it is possible to state, that by suitable distribution of the total cross-sectional area A , it is advisable and favourable to design the cross-sections of the compressed members with a thin web. The global buckling load-carrying capacity of the compressed members $N_{u,y,EN}$ and $N_{u,z,EN}$ are effected essentially by their slenderness λ_y and λ_z . The

effects of the web slenderness β_w and the cross-section area ratio γ on the global buckling carrying capacity of the compressed members are decreased by the increasing of the slenderness λ_y and λ_z . However, by suitable distribution of the global cross-sectional area A to the web and flanges, the slenderness λ_y and primarily λ_z could be reduced. In the case of higher slenderness λ_y and λ_z , using of the higher strength steel is less effective till ineffective.

Members	L = 3,0 m	L = 3,0 m	L = 4,0 m	L = 4,0 m	L = 5,0 m	L = 5,0 m	L = 6,0 m	L = 6,0 m
	$N_{u,y,EN}$ (kN)	$N_{u,z,EN}$ (kN)	$N_{u,y,EN}$ (kN)	$N_{u,z,EN}$ (kN)	$N_{u,y,EN}$ (kN)	$N_{u,z,EN}$ (kN)	$N_{u,y,EN}$ (kN)	$N_{u,z,EN}$ (kN)
AS1	2676,11	1675,31	2667,01	1235,21	2616,98	905,87	2565,87	679,59
AS2	2567,28	1933,15	2567,28	1584,54	2529,80	1257,14	2485,18	989,79
AS3	2481,76	2067,49	2481,76	1813,55	2460,27	1545,85	2420,40	1289,87
AS4	2436,27	2152,49	2436,27	1959,35	2425,09	1750,62	2388,09	1534,04
AS5	2447,53	2240,70	2447,53	2080,77	2441,09	1909,26	2404,94	1726,96
BS1	3063,86	1823,08	3040,13	1313,84	2979,24	950,85	2916,70	708,19
BS2	2945,35	2146,26	2940,56	1722,24	2886,89	1341,22	2832,18	1042,83
BS3	2858,89	2326,84	2858,89	2009,59	2819,15	1682,07	2769,91	1380,65
BS4	2821,21	2446,84	2821,21	2202,45	2793,00	1939,09	2746,85	1671,68
BS5	2849,02	2566,79	2849,02	2362,87	2825,36	2142,97	2779,81	1911,02
CS1	3808,16	2071,05	3750,30	1442,09	3666,67	1024,71	3579,96	755,79
CS2	3679,83	2522,90	3646,98	1951,08	3572,65	1476,52	3496,19	1127,76
CS3	3599,29	2803,66	3583,62	2350,66	3515,41	1905,96	3445,64	1524,53
CS4	3583,28	3001,18	3577,67	2641,87	3512,43	2261,54	3445,93	1894,71
CS5	3648,52	3189,76	3646,26	2885,26	3580,75	2556,52	3514,04	2219,39
DS1	4390,01	2238,51	4300,28	1526,95	4197,21	1073,99	4089,55	787,89
DS2	4260,68	2789,48	4200,29	2103,24	4107,96	1564,28	4012,35	1182,79
DS3	4190,69	3155,69	4149,77	2586,69	4064,15	2052,27	3975,99	1615,83
DS4	4196,74	3421,54	4166,37	2958,43	4083,55	2479,50	3998,54	2037,50
DS5	4295,57	3669,71	4267,24	3271,99	4183,22	2845,91	4097,05	2422,25
ES1	4740,13	2330,14	4629,15	1573,00	4513,68	1100,86	4392,57	805,50
ES2	4612,63	2938,96	4533,37	2185,51	4429,44	1611,20	4321,38	1212,24
ES3	4551,10	3358,44	4492,46	2716,78	4395,50	2130,30	4295,27	1663,88
ES4	4572,27	3668,03	4524,19	3137,22	4429,82	2597,53	4332,56	2112,49
ES5	4692,87	3954,18	4645,69	3494,44	4549,44	3005,79	4450,29	2530,00

Table 4: Global buckling loads $N_{u,y,EN}$ and $N_{u,z,EN}$ for considered compressed members.

Conclusion

The overall economy of steel structures depends on their final prices, but these prices are affected by more actual economic relations, interests and conditions. Therefore, the paper does not deal with

economical assessment. The efficiency of cross-section optimization and higher strength structural steels using in compression members is characterized and analysed by equivalent technical parameters. The results of the realized numerical study can be summarized as follows:

- The effect of web slenderness β_w and sectional areas ratios γ on compressed members local load-carrying capacity $N_{ul,EN}$ was proved.
- Compressed members ultimate load $N_{pl,EN}$ depends only on sectional area and material strength.
- The ultimate loads $N_{pl,EN}$ are raised by increasing of the material strength, but this is just theoretical respectively comparative loads.
- The effects of web slenderness β_w and cross-section area ratio γ on the global buckling carrying capacity of compressed members are decreased by increasing of slenderness λ_y and λ_z .
- Global cross-sectional area distribution the slenderness λ_y and primarily λ_z could be reduced.
- In case of higher slenderness λ_y and λ_z , using of higher strength steel is ineffective.

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